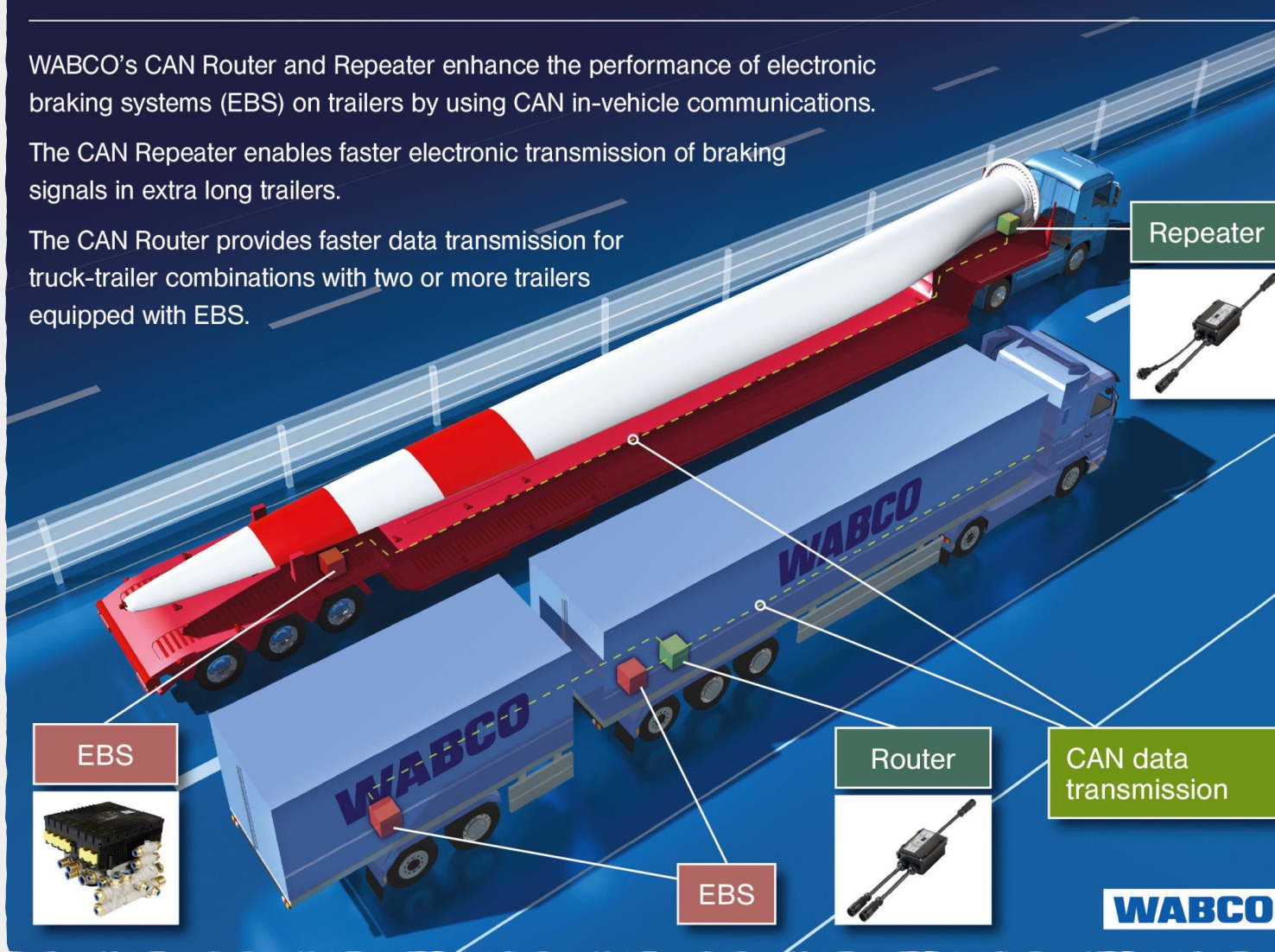


Controller Area Network (CAN) Router and Repeater

WABCO's CAN Router and Repeater enhance the performance of electronic braking systems (EBS) on trailers by using CAN in-vehicle communications.

The CAN Repeater enables faster electronic transmission of braking signals in extra long trailers.

The CAN Router provides faster data transmission for truck-trailer combinations with two or more trailers equipped with EBS.



Quantifying the Resiliency of Fail-Operational Real-Time Networked Control Systems

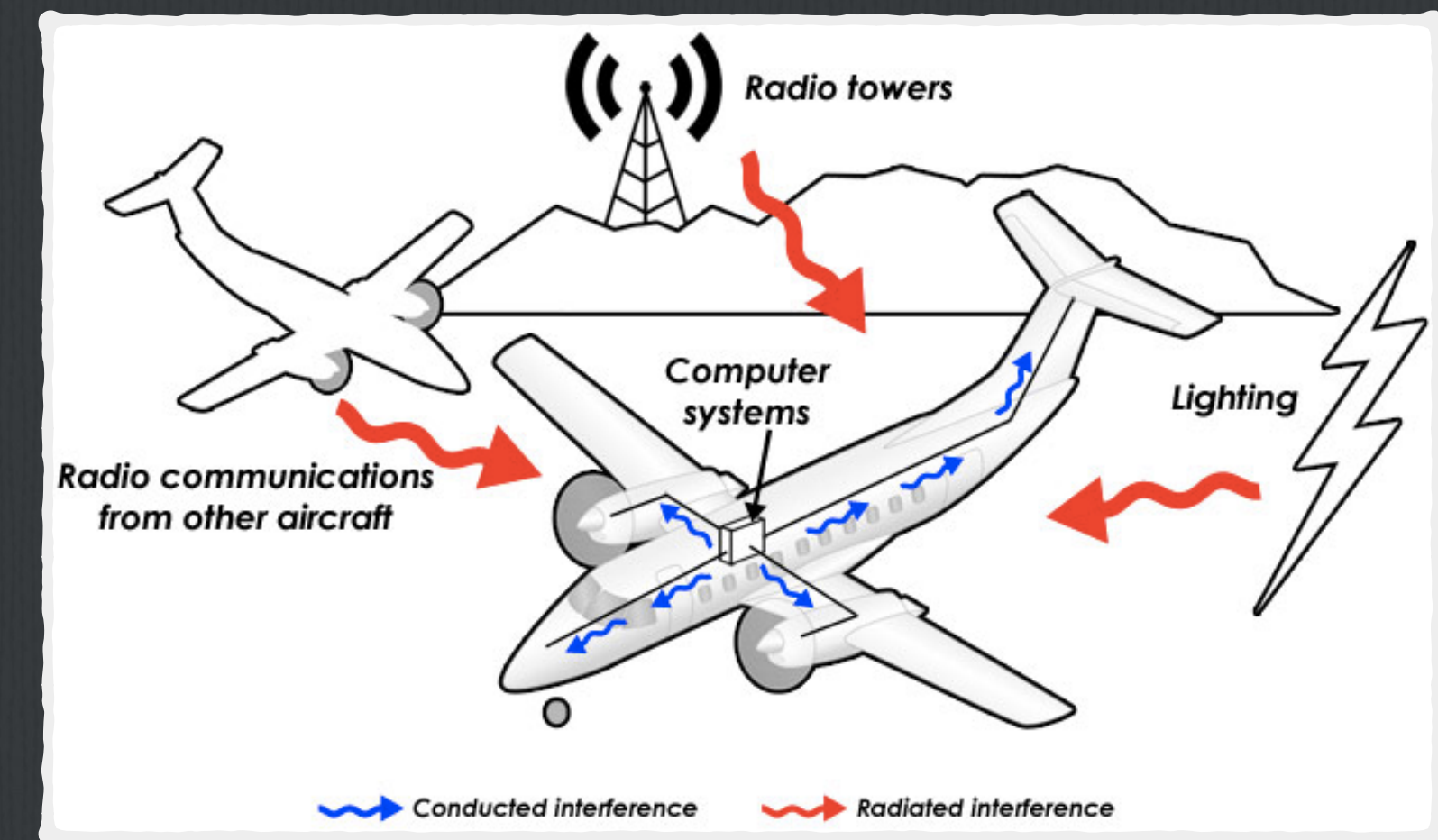
*Arpan Gujarati, Mitra Nasri,
Björn B. Brandenburg*



MAX PLANCK INSTITUTE
FOR SOFTWARE SYSTEMS

Embedded systems are susceptible to environmentally-induced **transient faults**

- Harsh environments
 - ➔ Robots operating under **hard radiation**
 - ➔ Industrial systems near **high-power machinery**
 - ➔ **Electric motors** inside automobile systems
- Bit-flips in registers, buffers, network



Example*

*Mancuso R. Next-generation safety-critical systems on multi-core platforms. PhD thesis, UIUC, 2017.

- ➔ One bit-flip in a 1 MB SRAM every 10^{12} hours of operation
- ➔ 0.5 billion cars with an average daily operation time of 5%
- ➔ **About 5,000 cars are affected by a bit-flip every day**

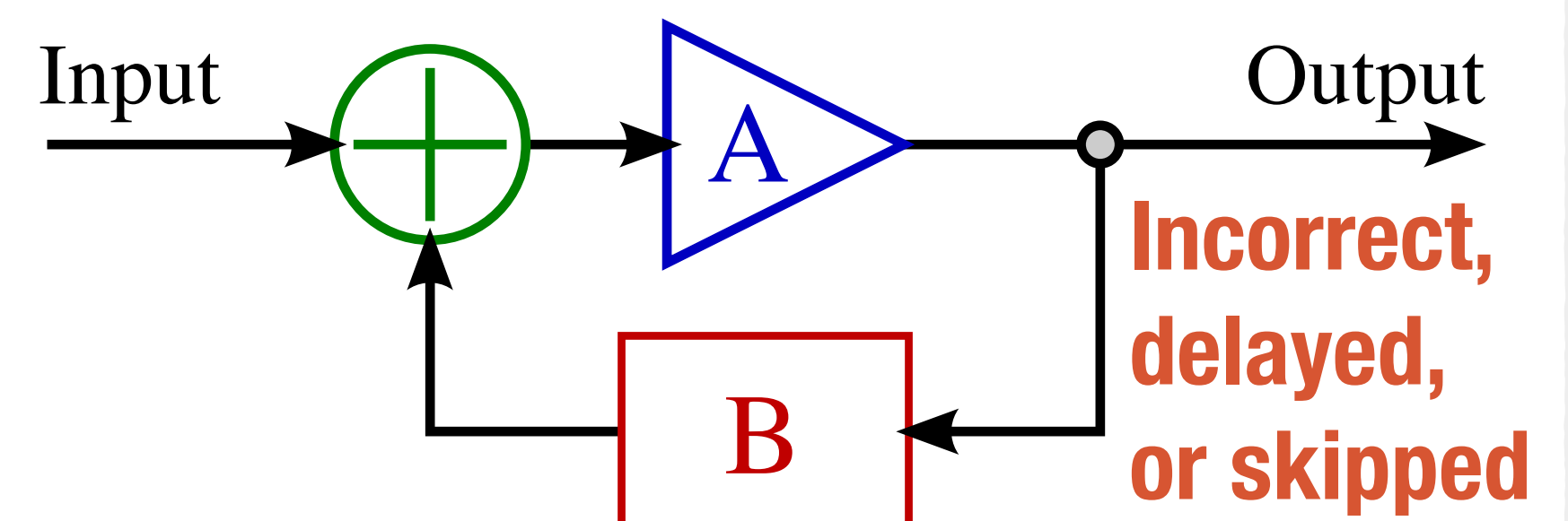
Failures and errors due to transient faults in distributed real-time systems

- **Transmission errors**
 - ➔ Faults on the network
- **Omission Errors**
 - ➔ Fault-induced kernel panics
- **Incorrect computation Errors**
 - ➔ Faults in the memory buffers

Failures in:

- ➔ value domain (incorrect outputs)
- ➔ time domain (deadline violations)

E.g., safety-critical control system



Mitigating the effects of transient faults in distributed real-time systems

- **Transmission errors**
➔ **Faults on the network**
- **Omission Errors**
➔ **Fault-induced kernel panics**
- **Incorrect computation Errors**
➔ **Faults in the memory buffers**

Retransmissions at the network layer

Dual modular redundancy (DMR)

Triple modular redundancy (TMR)

Mitigating the effects of transient faults in distributed real-time systems

How can we objectively compare the reliability offered by different mitigation techniques?

- ❑ **Omission Errors**
➔ Fault-induced kernel panics
- ❑ **Incorrect computation Errors**
➔ Faults in the memory buffers

Retransmissions at the network layer

Dual modular redundancy (DMR)

Triple modular redundancy (TMR)

Mitigating the effects of transient faults in distributed **real-time systems**

How does the real-time requirement affect system reliability?
When does it really become a bottleneck?

- **Omission Errors**
 - Fault-induced kernel panics

Dual modular redundancy (DMR)

What if the system is weakly-hard real-time,
i.e., it can tolerate a few failures?

lular redundancy (TMR)

Problem: **Reliability analysis** of networked control systems

Given

- ① Networked control system (messages, period)
- ② Robustness specification (weakly-hard constraints)
- ③ Active replication scheme (DMR, TMR, others)
- ④ Peak transient fault rates (for the network and the hosts)

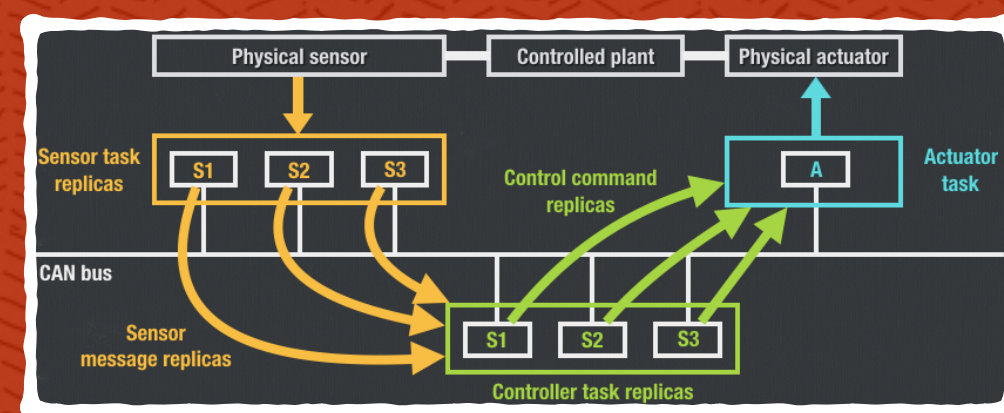
Objective

A **safe upper bound** on the **failure rate** of the networked control system

Failures-In-Time (FIT) = Expected # failures in one billion operating hours

Outline

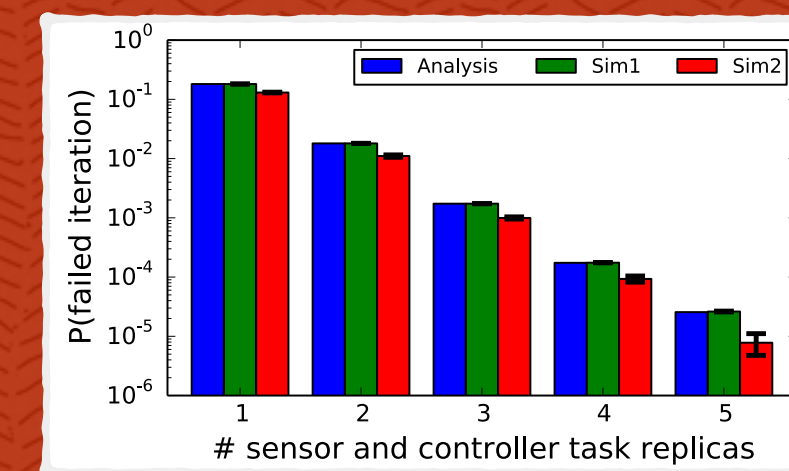
Analysis of a Controller Area Network (CAN) based networked control system



System Model

$$\int_0^{\infty} t \cdot f(t) dt$$

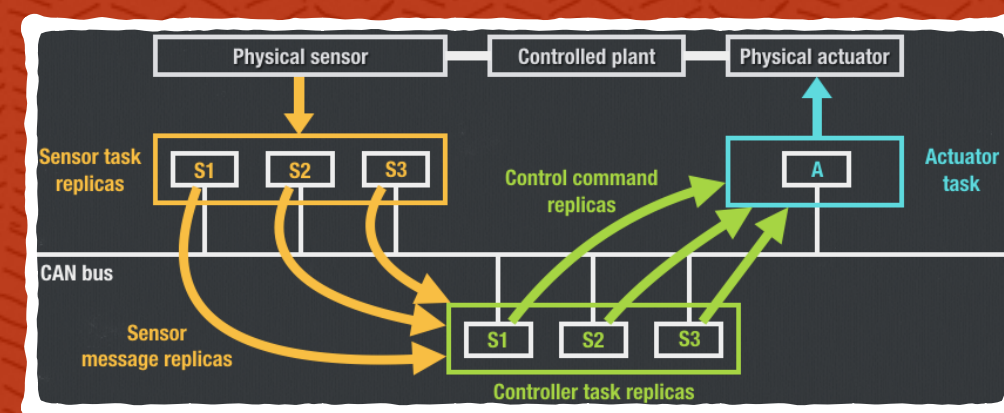
Analysis



Evaluation

Outline

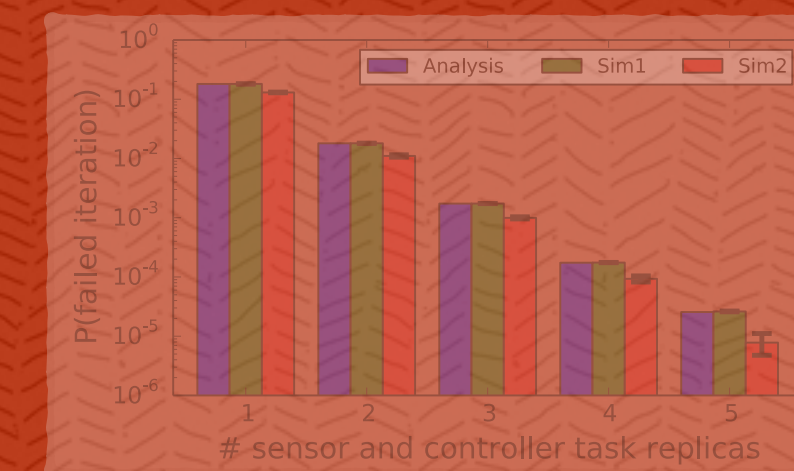
Analysis of a Controller Area Network (CAN) based networked control system



System Model

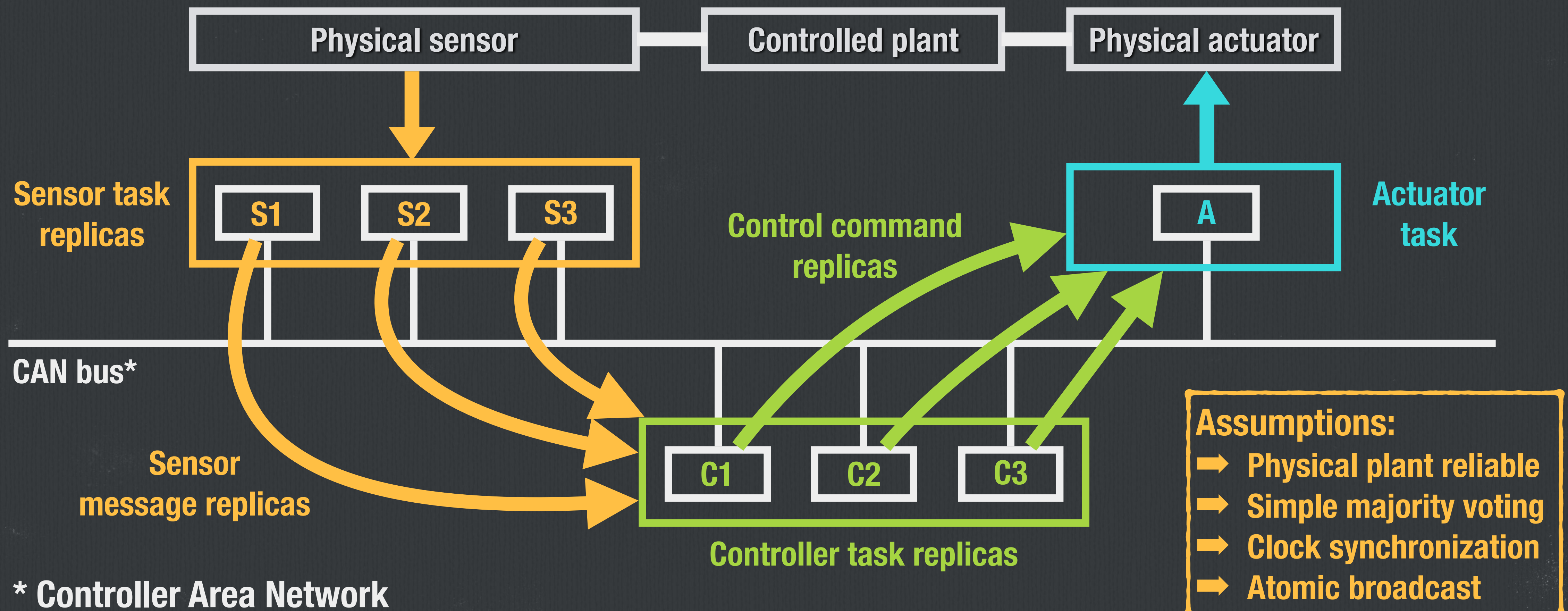
$$\int_0^{\infty} t \cdot f(t) dt$$

Analysis

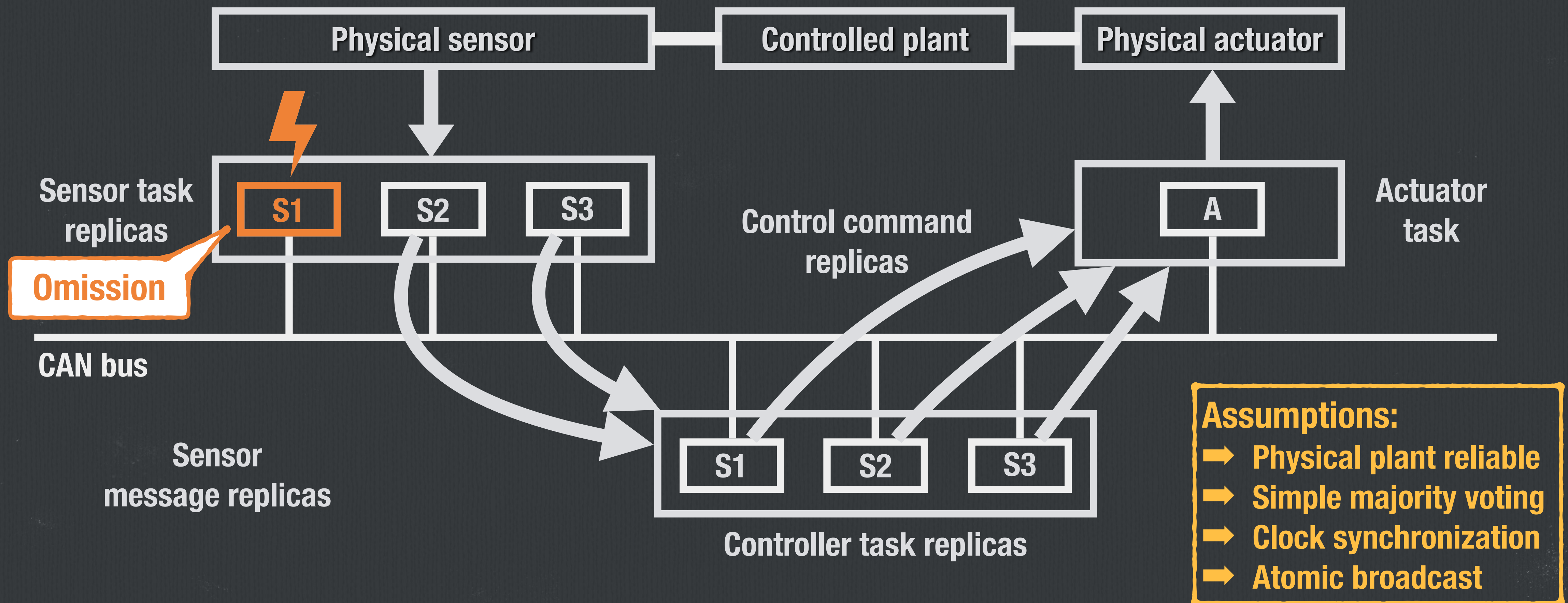


Evaluation

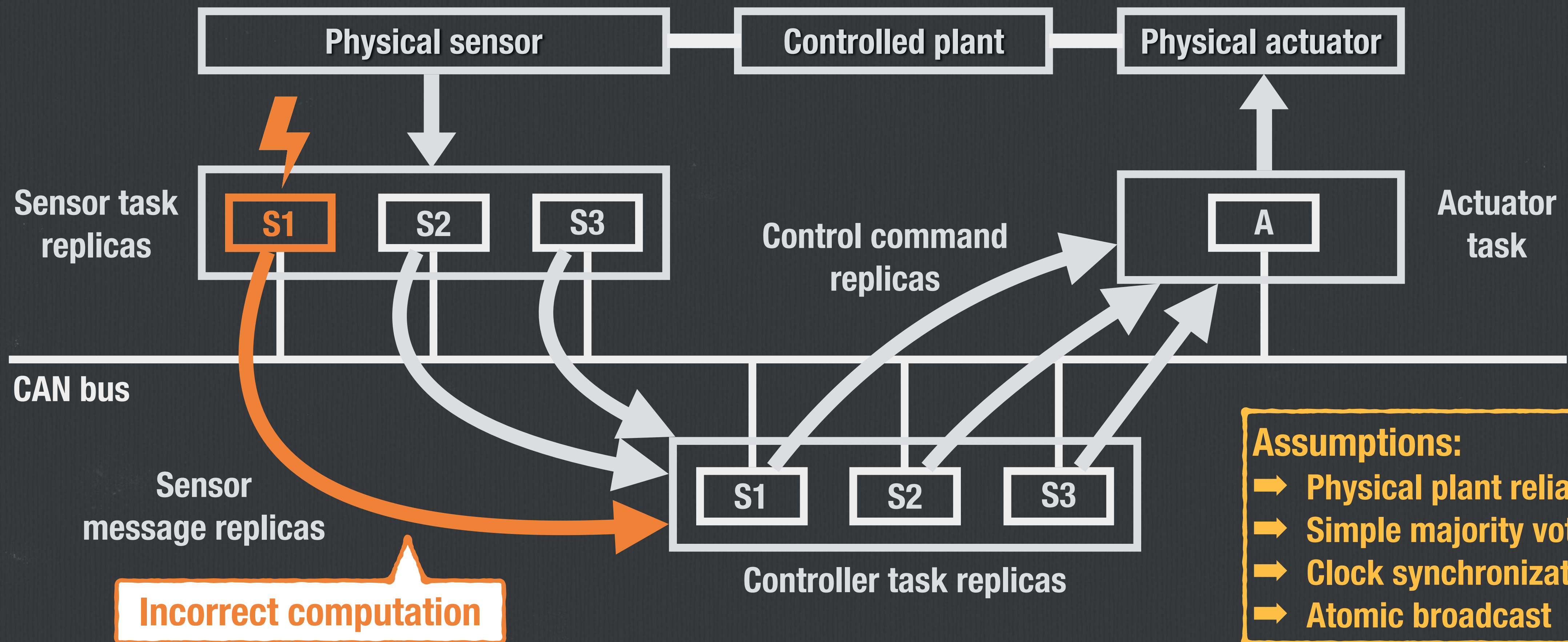
Fault tolerant single-input single-output (FT-SISO) networked control loop



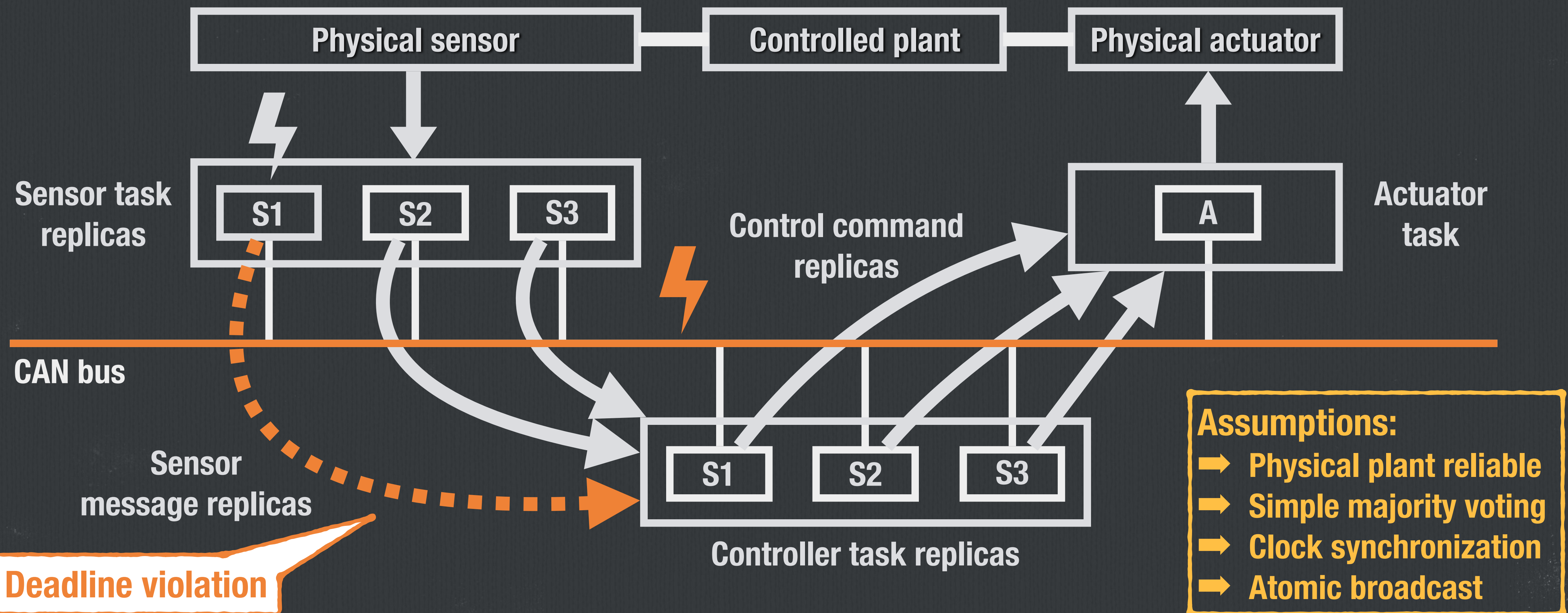
Failures and errors in a FT-SISO networked control loop



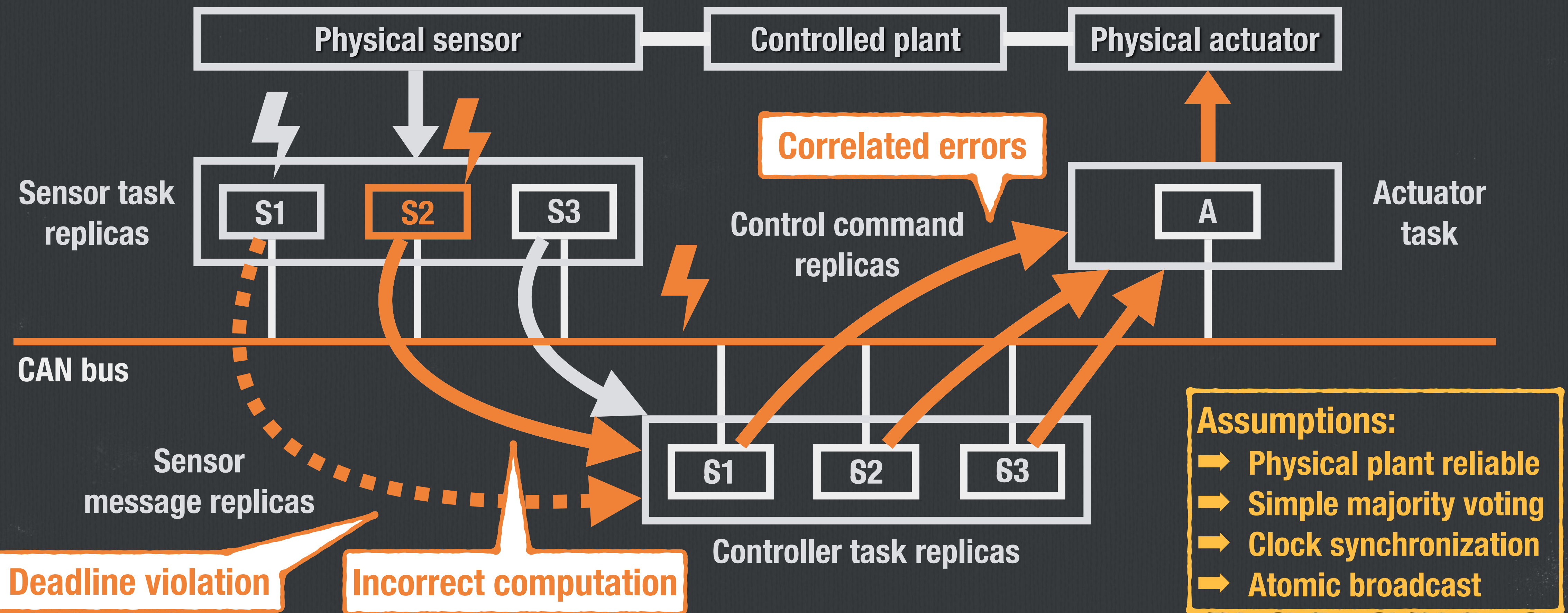
Failures and errors in a FT-SISO networked control loop



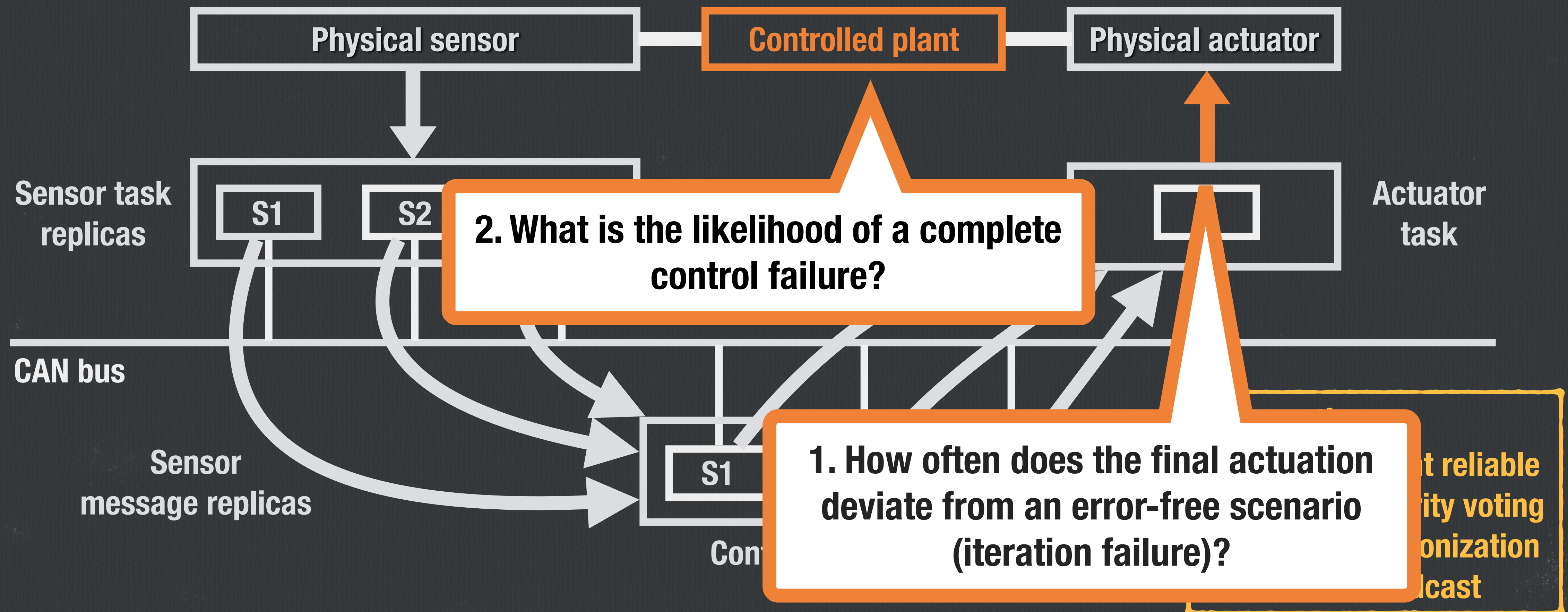
Failures and errors in a FT-SISO networked control loop



Failures and errors in a FT-SISO networked control loop



Failures and errors in a FT-SISO networked control loop

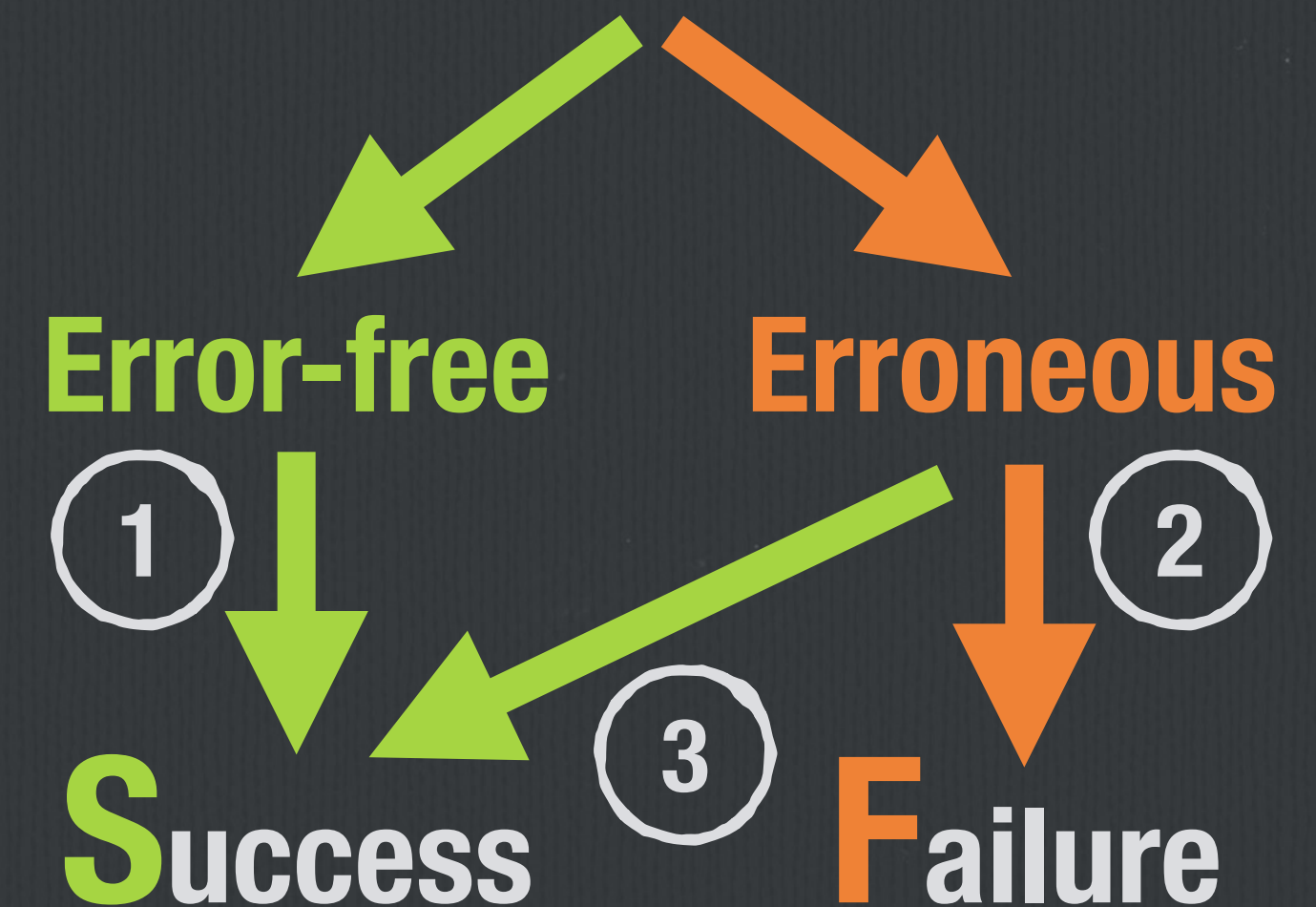


1. Modeling control loop iteration failures

Control loop iterations

l_1 l_2 l_3 ... l_{n-1} l_n l_{n+1} ...

- ① Final actuation is successful
- ② Final actuation failed (different from ①)
- ③ Final actuation is successful (same as ①) despite the errors



Explicitly account for fault tolerance

2. Modeling **control failure** based on the **(m, k)-firm** constraint

Control loop iterations

Success **F**ailure

time →
S S S **F** S S S S **F** S **F** S S S

Hard constraint

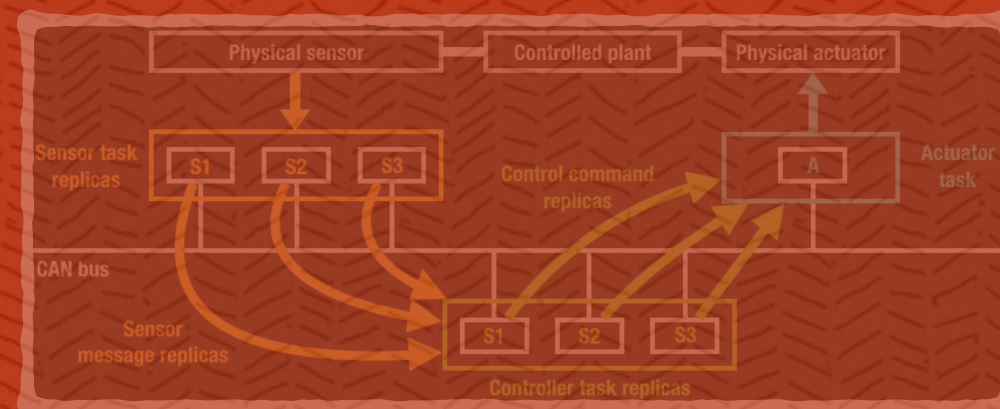
Control failure upon first iteration failure

(2, 3) constraint

Control failure when **less than 2** iterations successful **in 3 consecutive** iterations

Outline

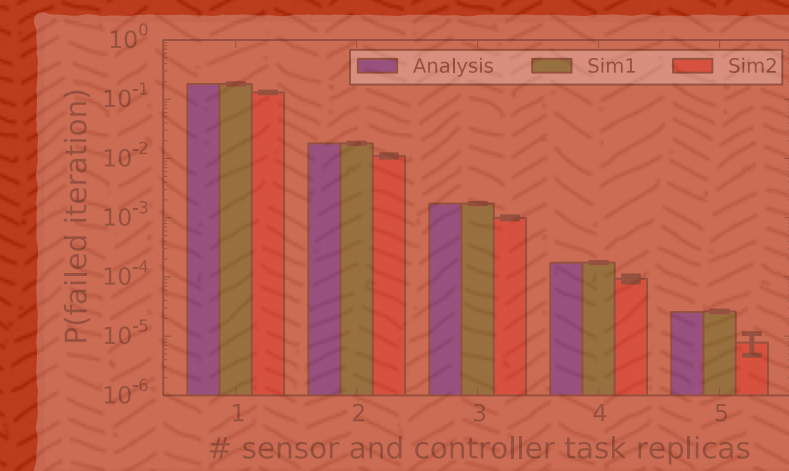
Analysis of a Controller Area Network (CAN) based networked control system



System Model

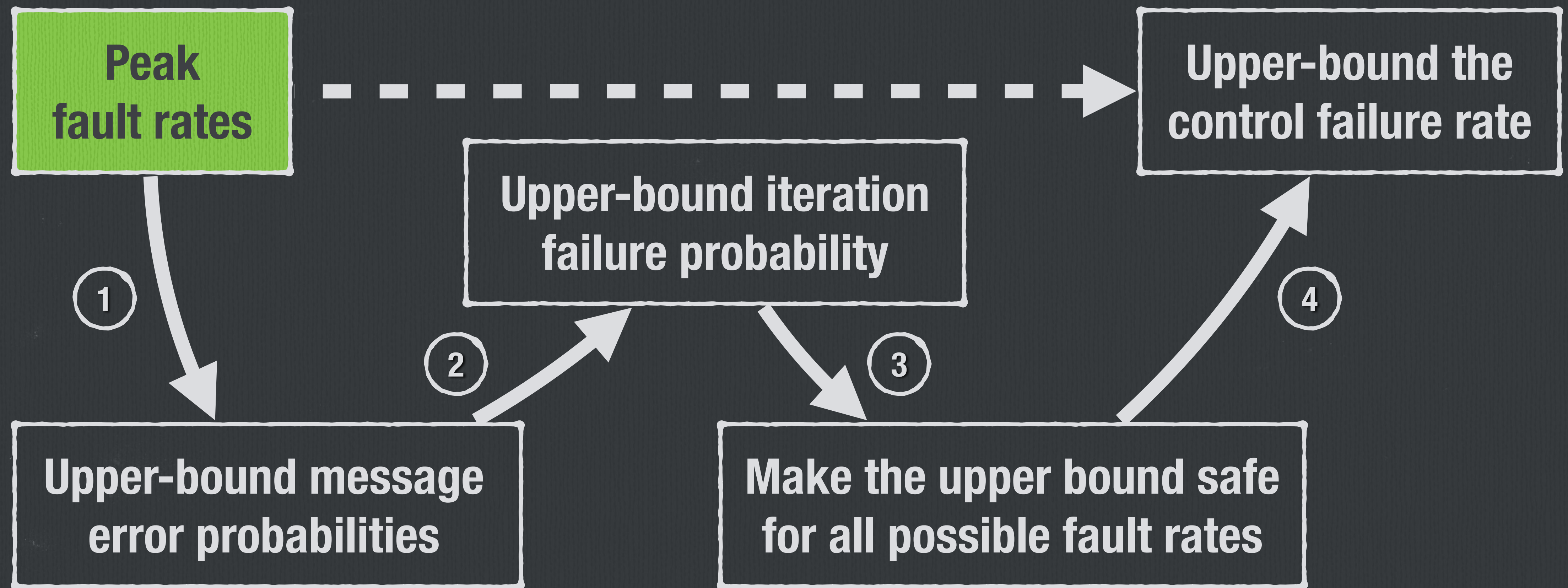
$$\int_0^{\infty} t \cdot f(t) dt$$

Analysis



Evaluation

Analysis steps



Upper-bounding the message error probabilities

Peak
fault rates

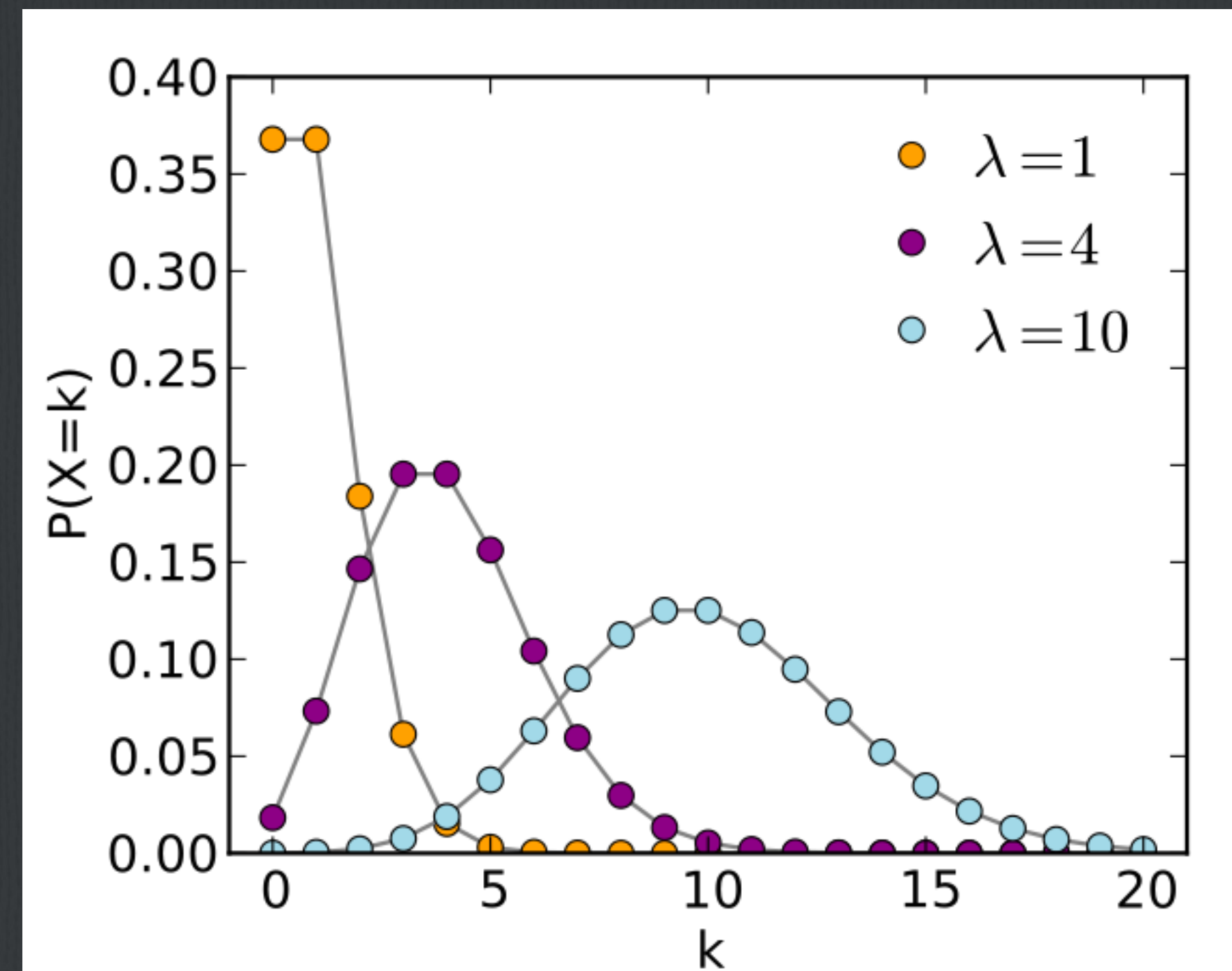
Using poisson model
for fault arrivals

Based on the
message parameters

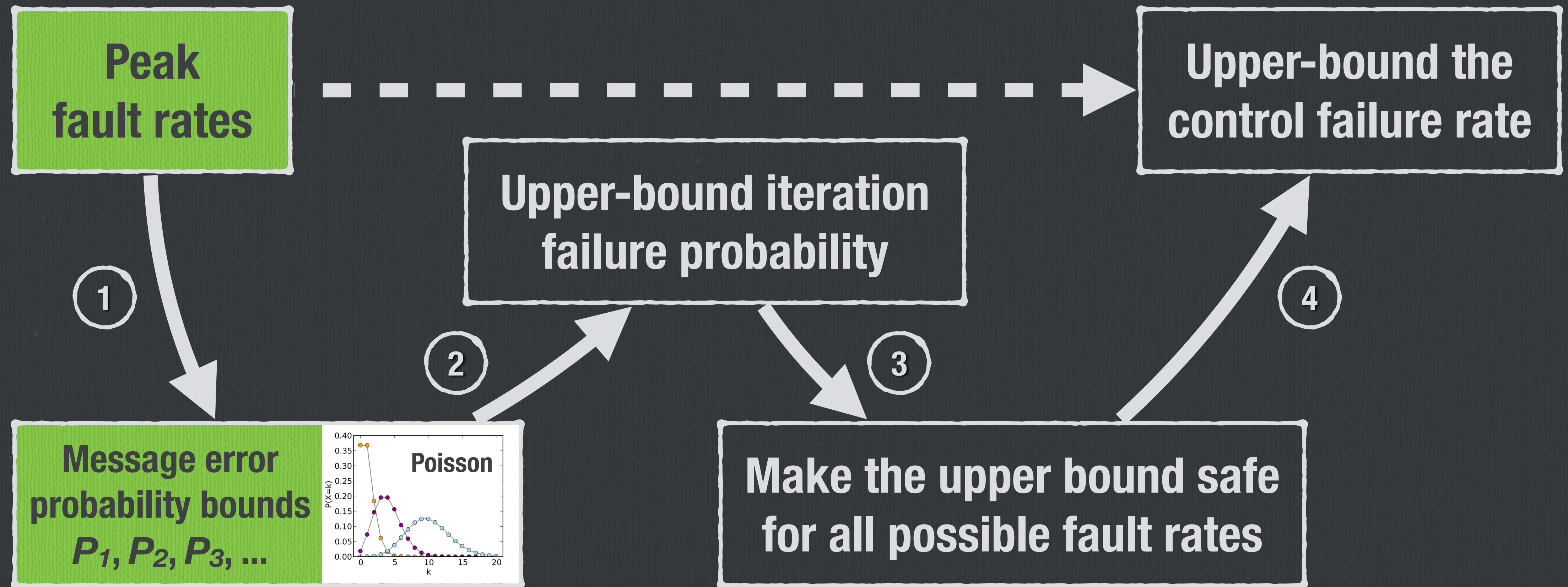
$P_1 \geq P$ (msg. is omitted at time t)

$P_2 \geq P$ (msg. is incorrectly computed)

$P_3 \geq P$ (msg. is misses its deadline)



Analysis steps



Upper-bounding the iteration failure probabilities

Accounting for

- ➔ all possible error scenarios
- ➔ error propagation and correlation
- ➔ voting protocol

$$V_n (P_1, P_2, P_3, \dots) \geq P (I_n = \mathbf{F})$$

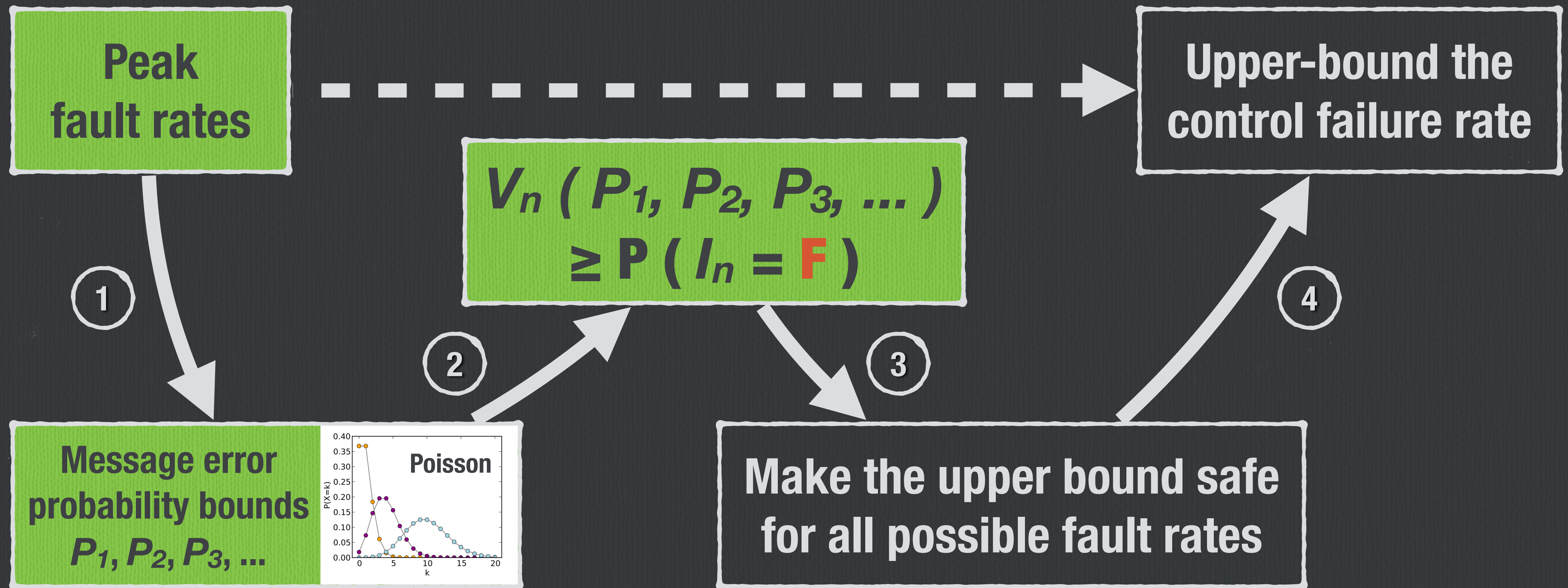
Upper bounds on message error probabilities

$P_1 \geq P (\text{msg. is omitted at time } t)$

$P_2 \geq P (\text{msg. is incorrectly computed })$

$P_3 \geq P (\text{msg. is misses its deadline })$

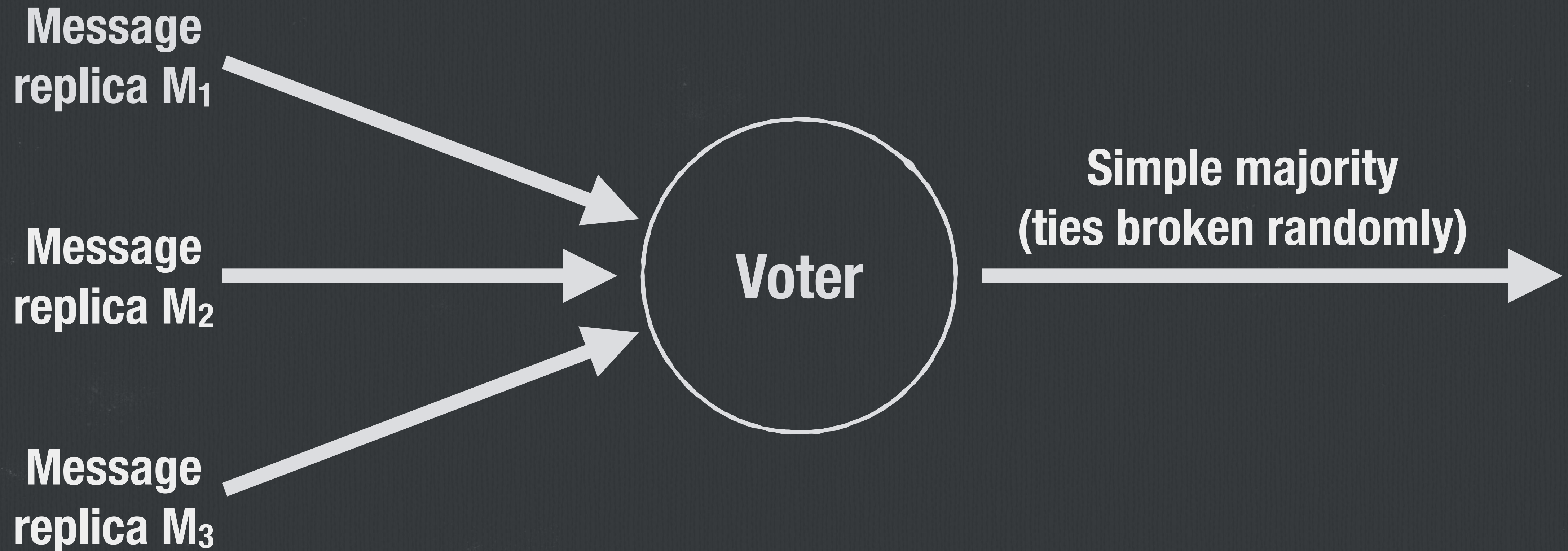
Analysis steps



Is the upper bound $V_n (P_1, P_2, P_3, \dots)$
safe for all possible fault rates?

Let's look at a simple example!

Is the upper bound $V_n (P_1, P_2, P_3, \dots)$
safe for all possible fault rates?



Is the upper bound $V_n (P_1, P_2, P_3, \dots)$
safe for all possible fault rates?

$P_1, P_2, P_3 \dots$ defined such that:

- M_1 is omitted
- M_2 is incorrectly computed
- M_2 misses its deadline

$$V_n (P_1, P_2, P_3, \dots) = 0$$

Omission
~~Message
replica M_1~~

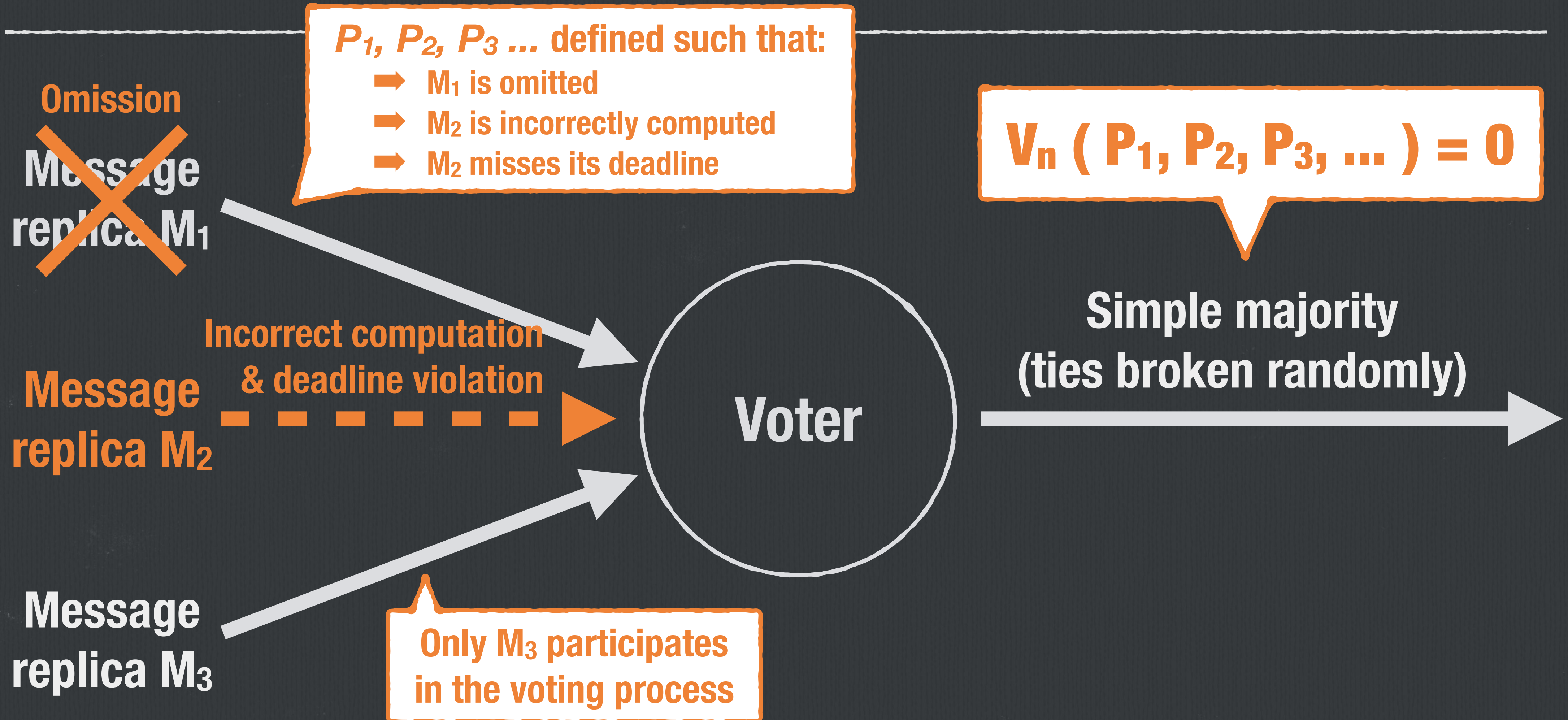
Incorrect computation
& deadline violation
Message
replica M_2

Message
replica M_3

Voter

Simple majority
(ties broken randomly)

Only M_3 participates
in the voting process



Is the upper bound $V_n (P_1, P_2, P_3, \dots)$
safe for all possible fault rates?

$P_1, P_2, P_3 \dots$ defined such that:

- ➔ M_1 is omitted
- ➔ M_2 is incorrectly computed
- ➔ M_2 misses its deadline

$$V_n (P_1, P_2, P_3, \dots) = 0$$

Omission
~~Message
replica M_1~~

Incorrect computation
& deadline violation
Message
replica M_2

Message
replica M_3

Voter

Simple majority
(ties broken randomly)

In practice, there may be no deadline violations!

➔ The peak fault rates are just upper bounds

Is the upper bound $V_n (P_1, P_2, P_3, \dots)$
safe for all possible fault rates?

$P_1, P_2, P_3 \dots$ defined such that:

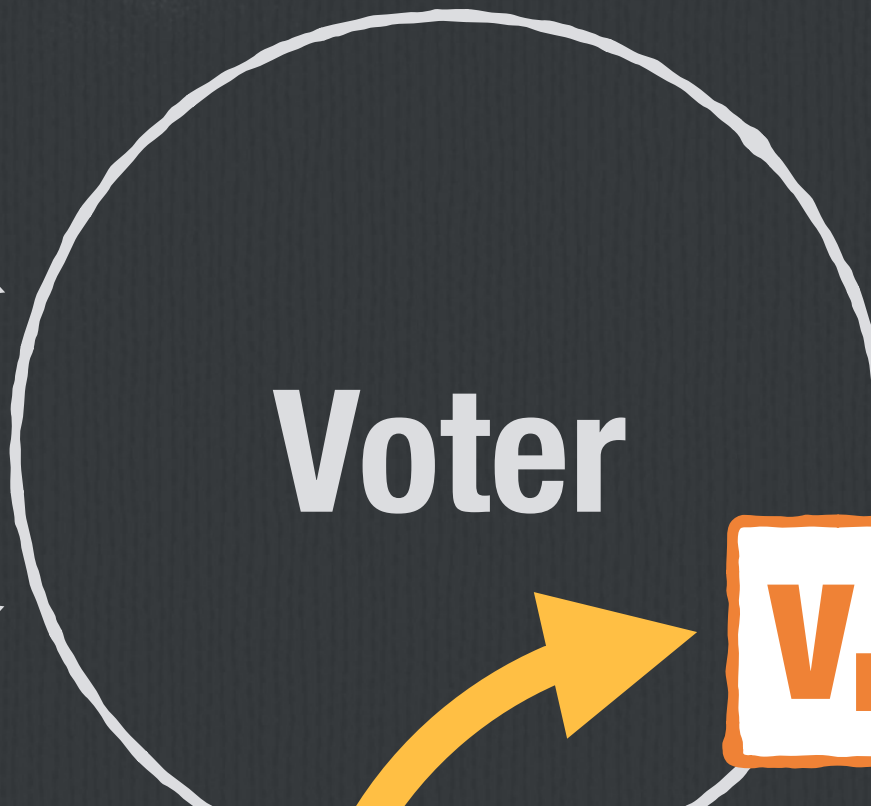
- ➔ M_1 is omitted
- ➔ M_2 is incorrectly computed
- ➔ M_2 misses its deadline

~~$V_n (P_1, P_2, P_3, \dots) = 0$~~

Omission
~~Message
replica M_1~~

Incorrect computation
& deadline violation
Message
replica M_2

Message
replica M_3



Simple majority
(ties broken randomly)

$V_n (P_1, P_2, P_3, \dots) = 0.5$

In practice, there may be no deadline violations!

➔ The peak fault rates are just upper bounds

Is the upper bound $V_n (P_1, P_2, P_3, \dots)$
safe for all possible fault rates?

$$V_n (P_1, P_2, P_3, \dots) \geq P (I_n = \mathbf{F})$$

+

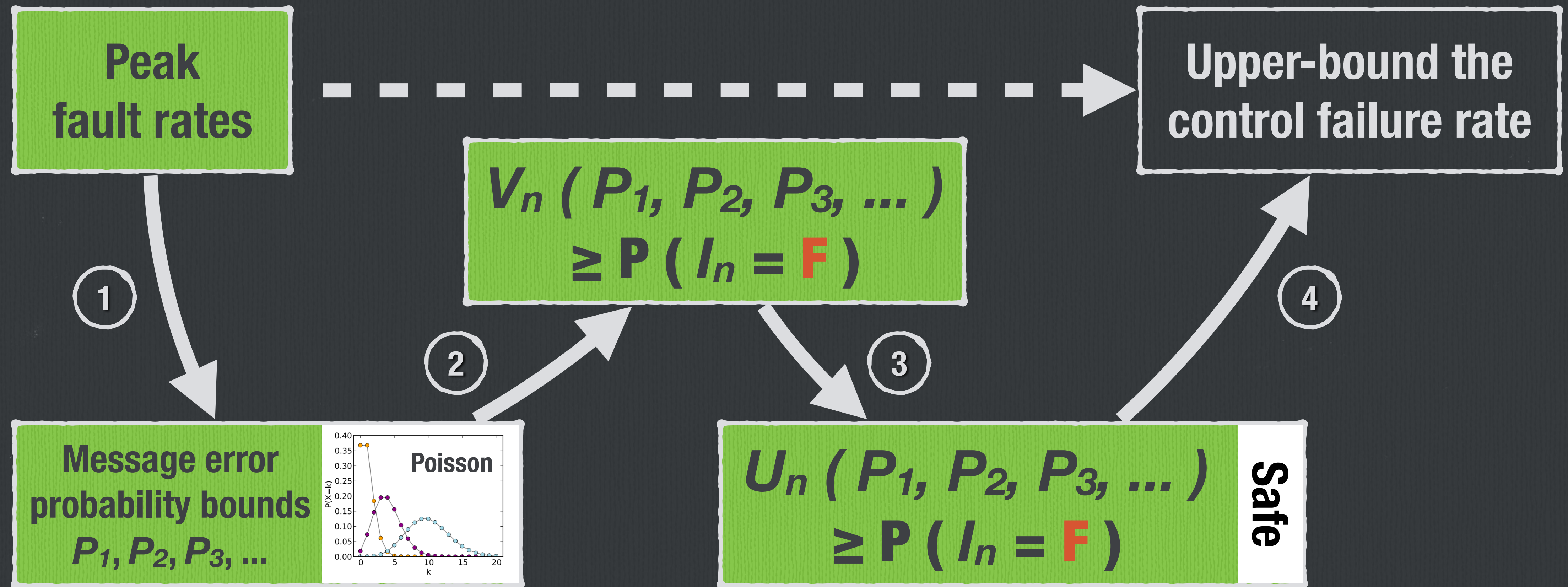
A fudge factor Δ is added to
ensure monotonicity*

||

$$U_n (P_1, P_2, P_3, \dots) \geq P (I_n = \mathbf{F})$$

Safe if V_n is monotonic
in P_1, P_2, P_3, \dots

Analysis steps



Upper-bounding the control failure rate (Failures-In-Time or FIT)

$$U_n (P_1, P_2, P_3, \dots)$$

$$\geq P (I_n = \mathbf{F})$$

Using
prior work*

Scalable and numerical,
but sound, analysis

$$FIT = 10^9 / MTTF \text{ (in hours)}$$

(expected # failures in 1 billion hours) (Mean Time To first control Failure)

$$= \frac{10^9}{\int_0^{\infty} t \cdot f(t) dt}$$

(probability density function)

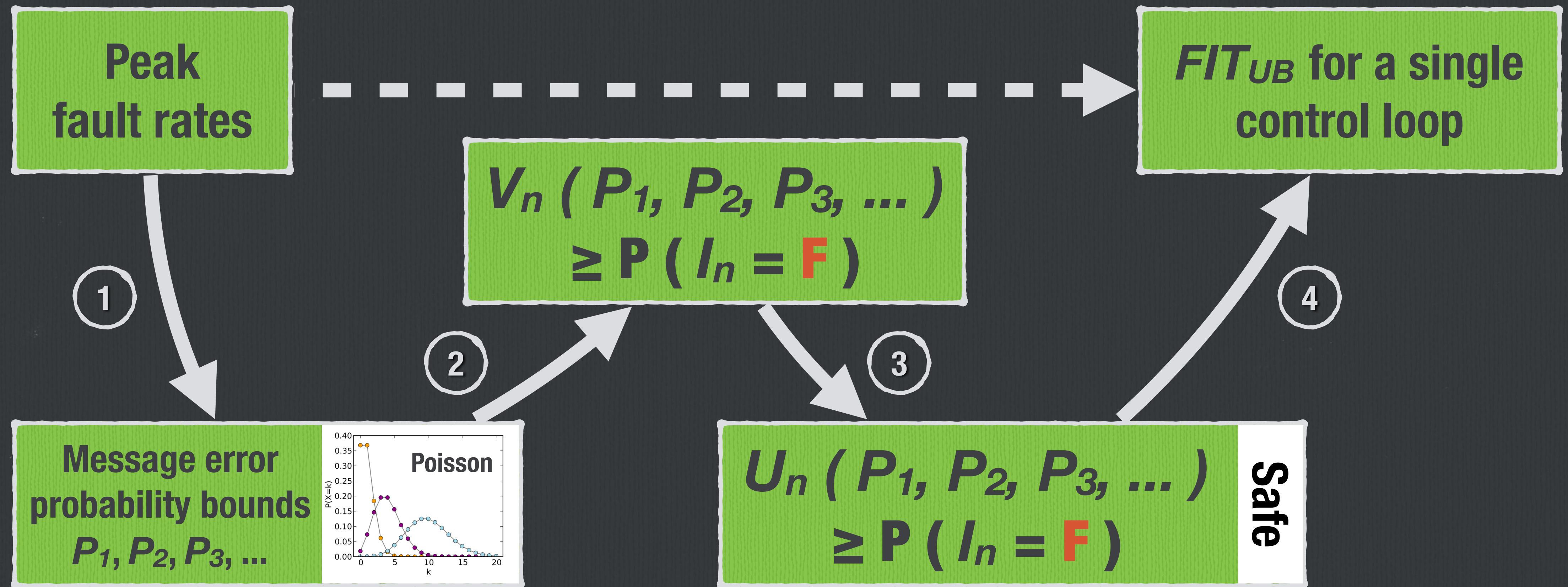
(probability
density function)

$$f(t) = P (\text{first control failure at time } t)$$

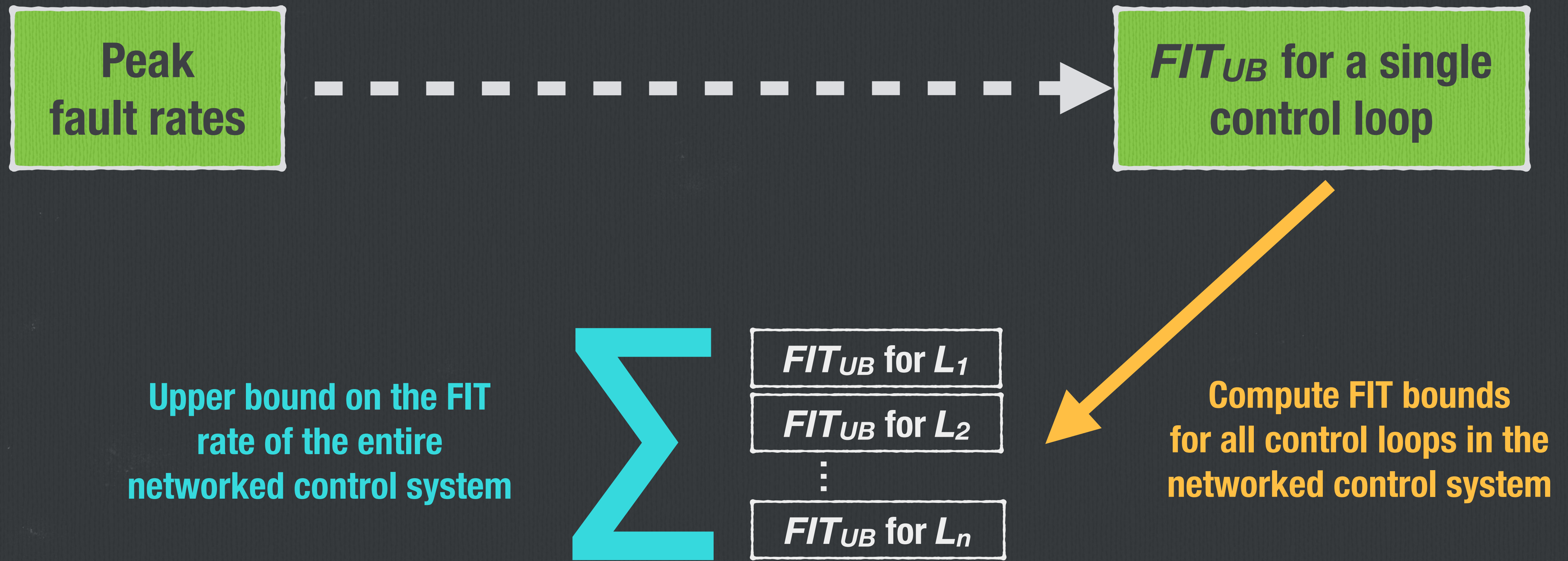
$$= P (\text{first violation of (2, 3)-firm constraint at time } t)$$

$$= P (\text{first instance of } \mathbf{FSF} \mid \mathbf{FFS} \mid \mathbf{SFF} \mid \mathbf{FF} \text{ at time } t)$$

Analysis steps

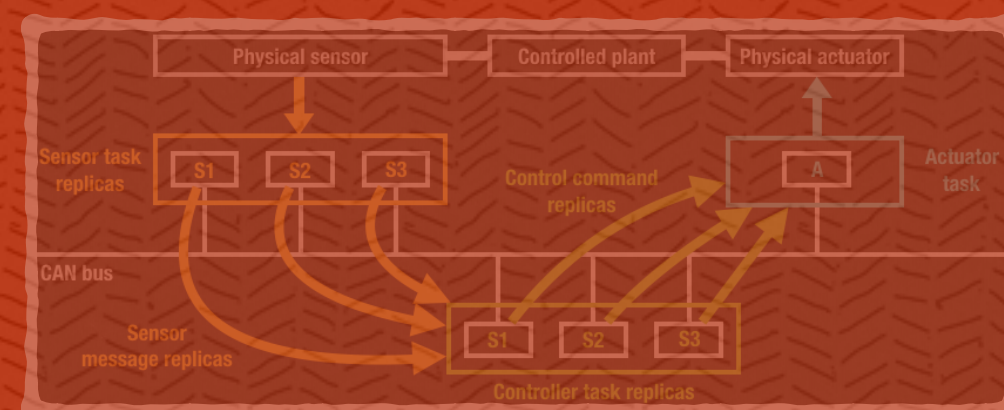


Analysis steps



Outline

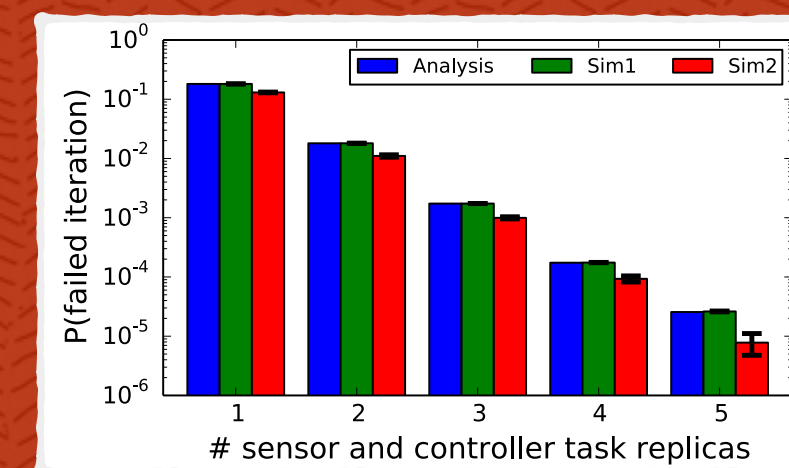
Analysis of a Controller Area Network (CAN) based networked control system



System Model

$$\int_0^{\infty} t \cdot f(t) dt$$

Analysis



Evaluation

Evaluation overview

- **How accurate is the analysis?**
 - ➔ **Comparison with simulation results**
- **Case study: FIT vs. (m, k) constraints vs. replication schemes**

CAN-based active suspension workload*

- Four control loops L_1, L_2, L_3, L_4
 → to control the four wheels with magnetic suspension

This talk: Control loop L_1 's tasks were replicated

In the paper: Experiments with all replica schemes

Messages	Length	Period (ms)	Deadline (ms)	Priority
Clock sync.	1	50	50	High
Current mon.	1	4	4	
Temperature	1	10	10	
L_1 messages	3	1,75	1,75	
L_2 messages	3	1,75	1,75	
L_3 messages	3	1,75	1,75	
L_4 messages	3	1,75	1,75	
Logging	8	100	100	

*Adolfo Anta and Paulo Tabuada. On the benefits of relaxing the periodicity assumption for networked control systems over CAN. In Proceedings of the 30th Real-Time Systems Symposium, pages 3–12. IEEE, 2009.

How **accurate** is the analysis?

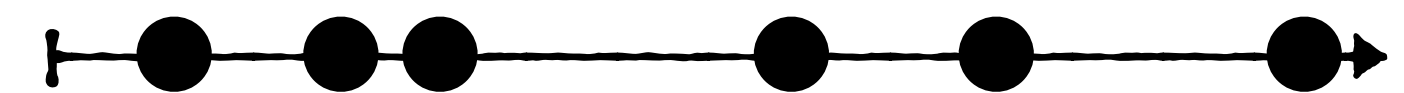
Iteration failure probability bound

$$U_n (P_1, P_2, P_3, \dots) \geq P (I_n = \mathbf{F})$$

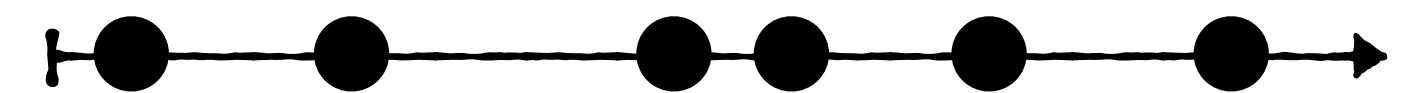
Simulation is
not safe

Discrete event simulation of
a CAN-based system

Poisson process for CAN bus faults

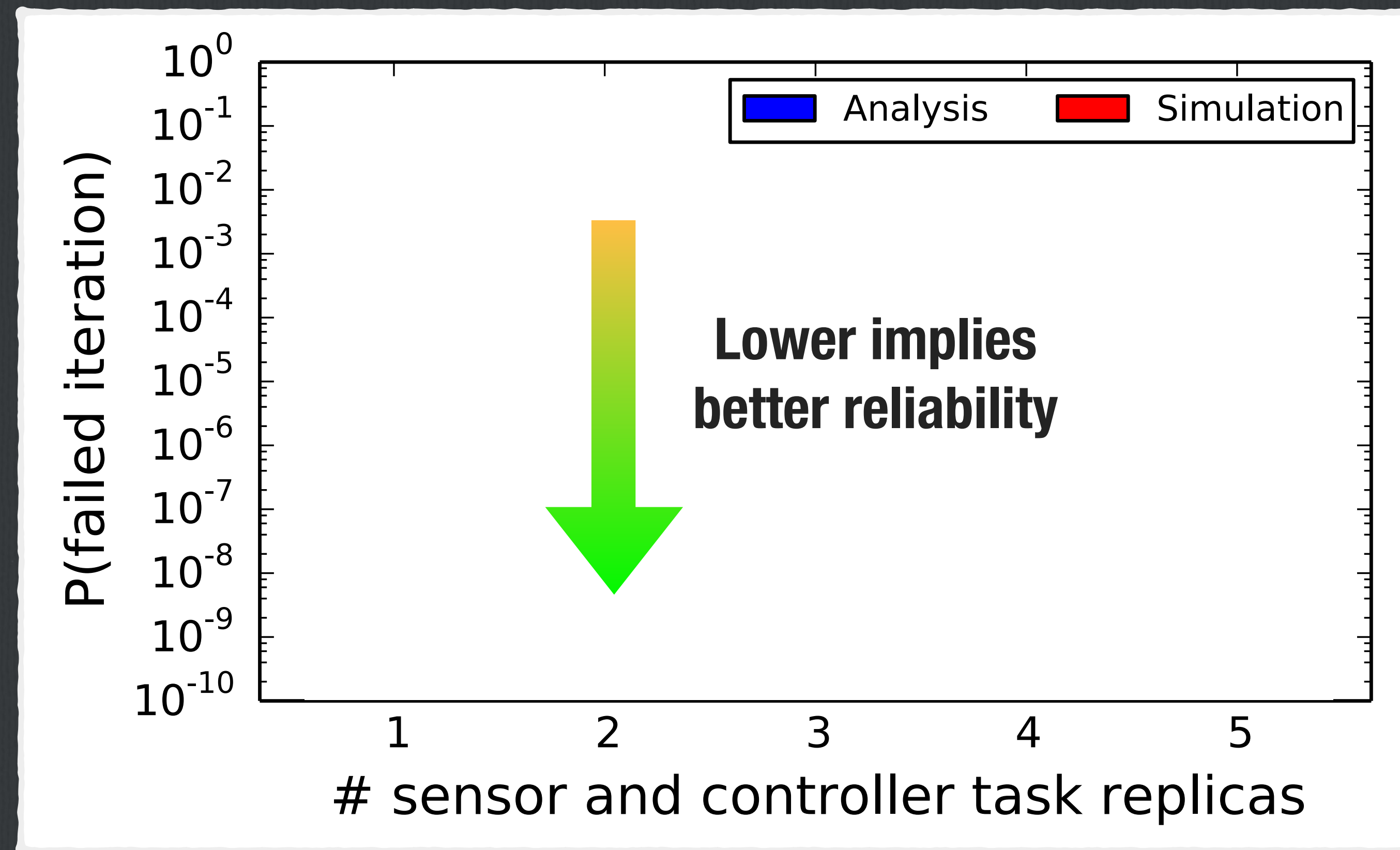


Poisson process for faults on Host 1

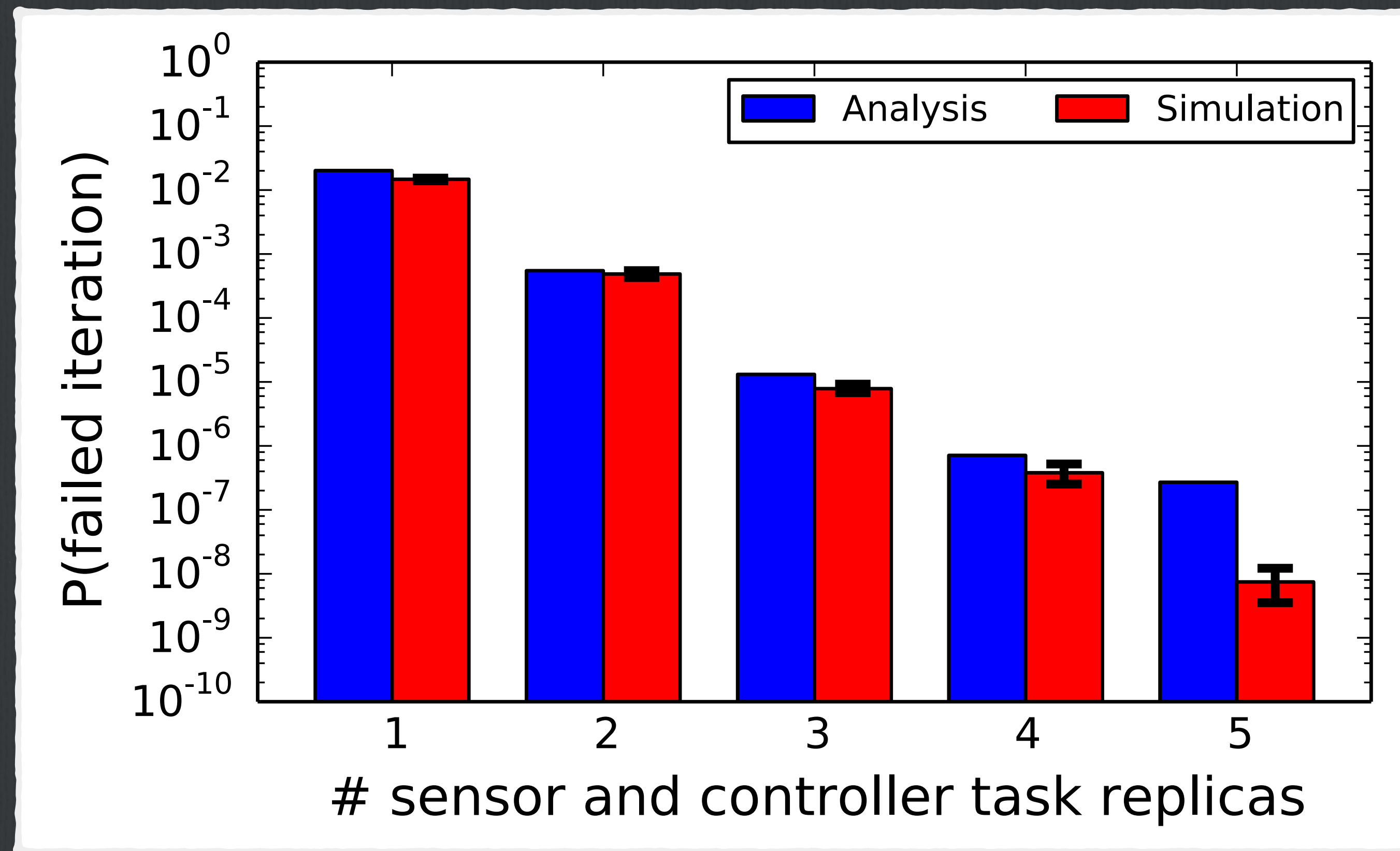


... and so on

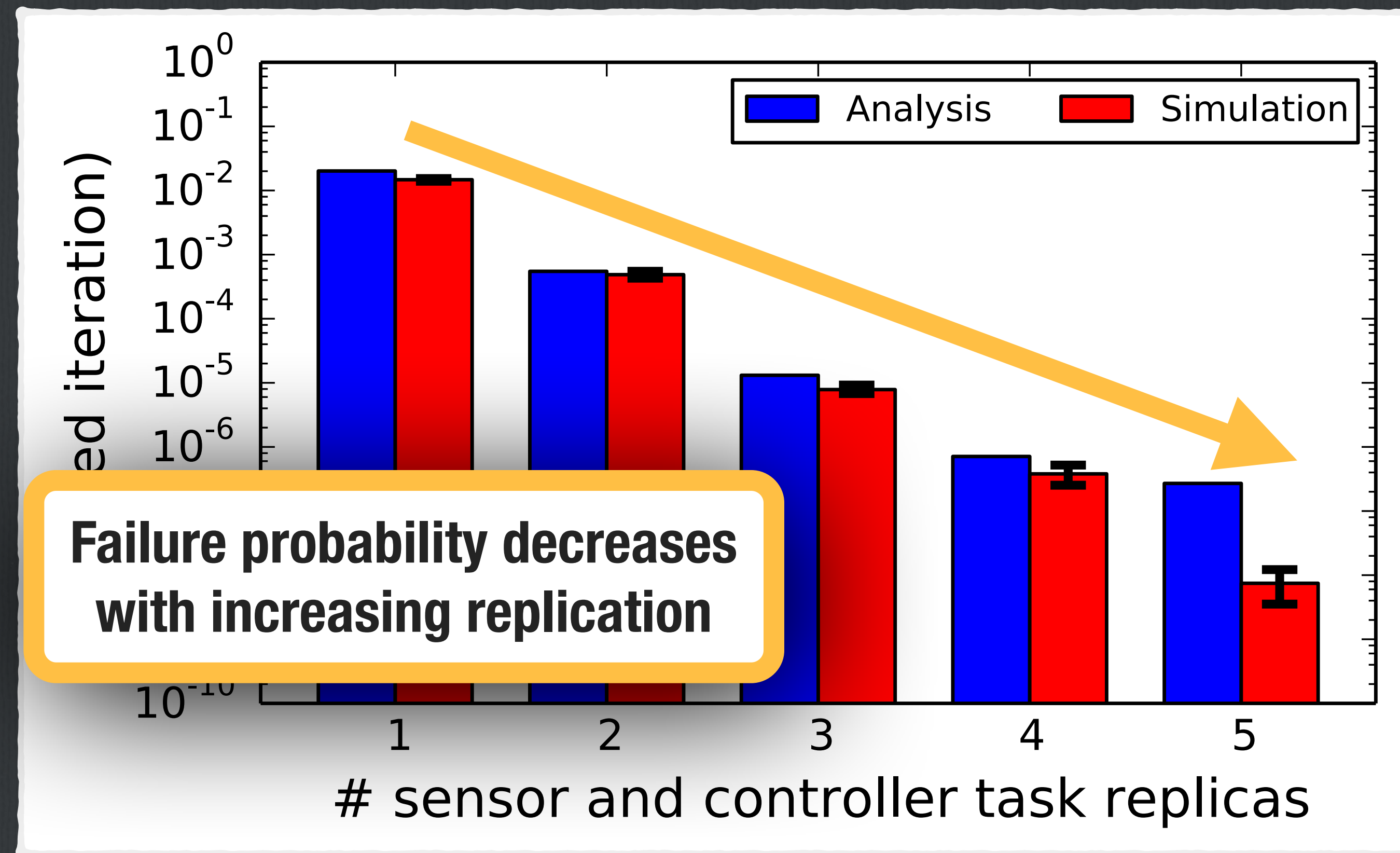
Analysis versus simulation



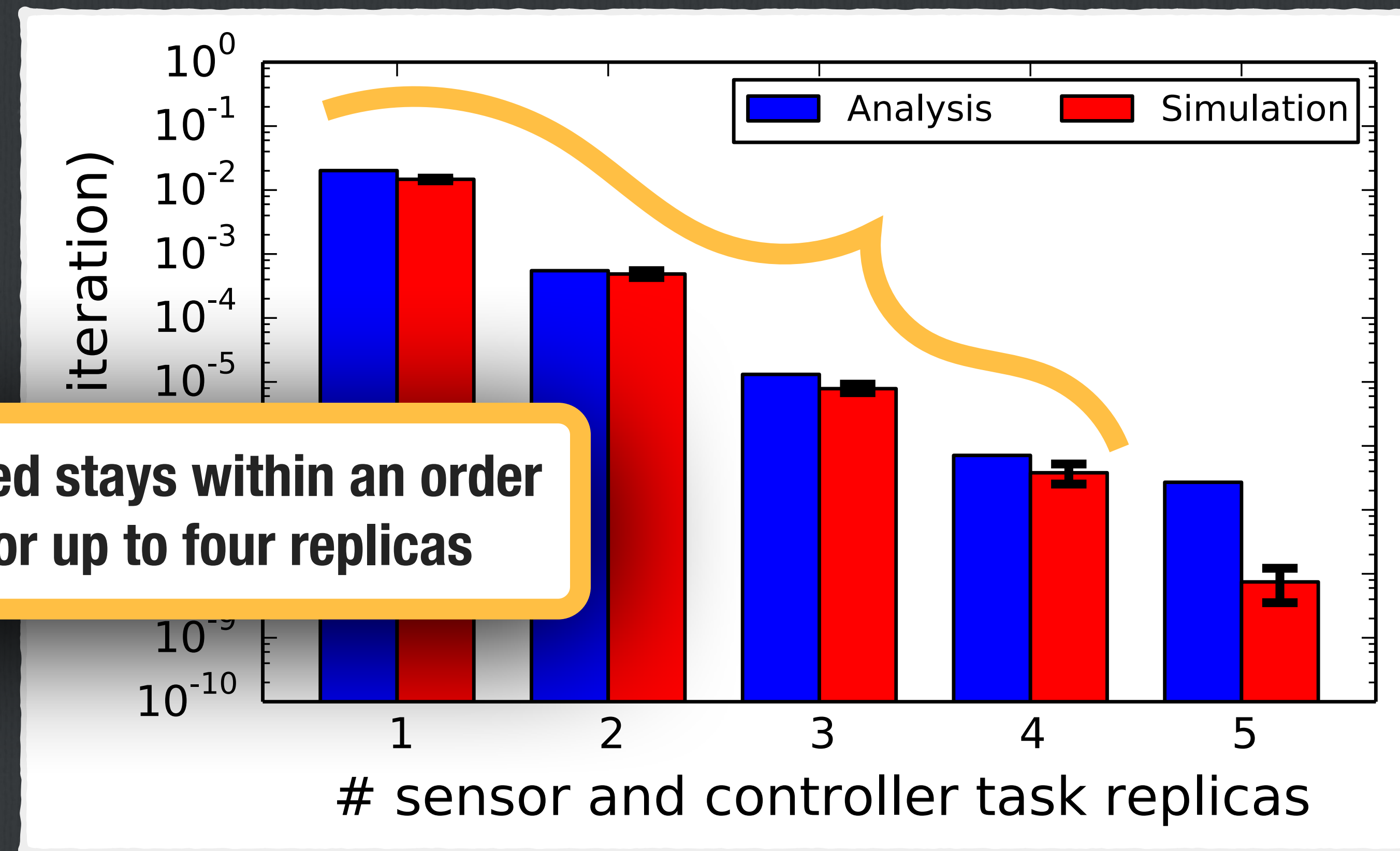
Analysis versus simulation



Analysis versus simulation

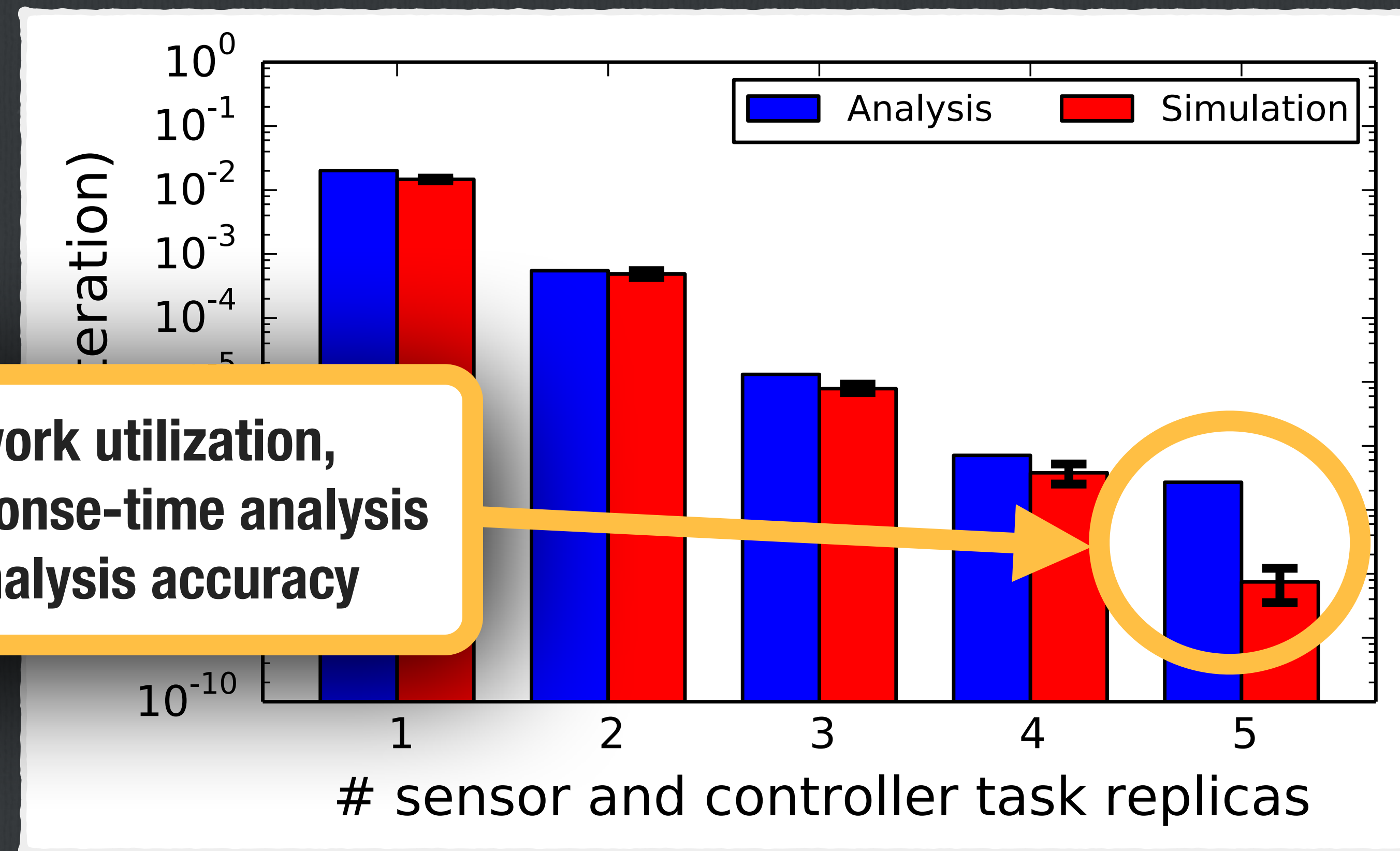


Analysis versus simulation



Pessimism incurred stays within an order of magnitude for up to four replicas

Analysis versus simulation



At high network utilization, worst-case response-time analysis affects the analysis accuracy

Case study

- FIT analysis for different (m, k) -firm constraints

- ➔ $(9, 100) \sim 9\%$

- ➔ $(19, 20) \sim 95\%$

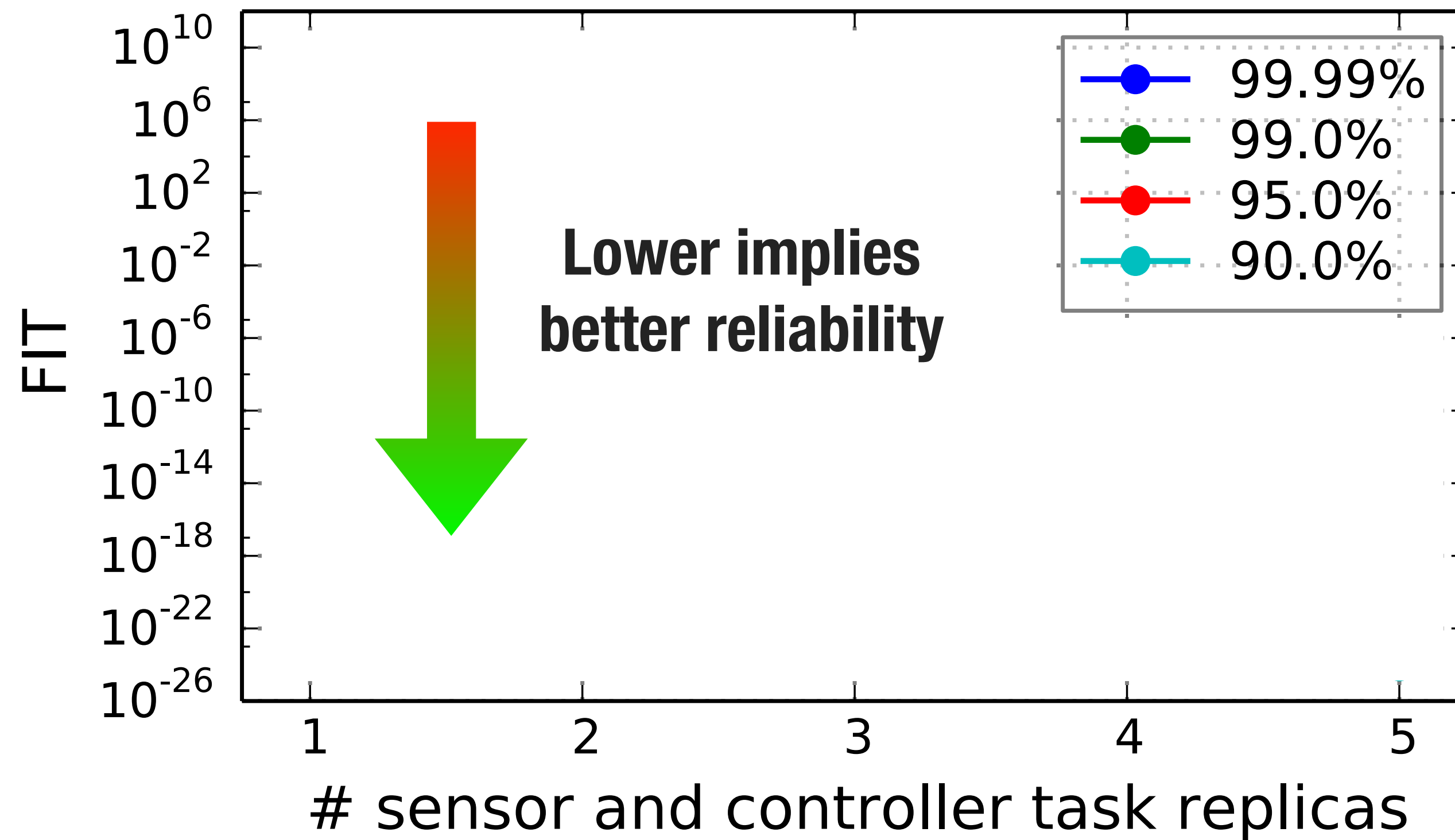
- ➔ $(99, 100) \sim 99\%$

- ➔ $(9999, 10000) \sim 99.99\%$

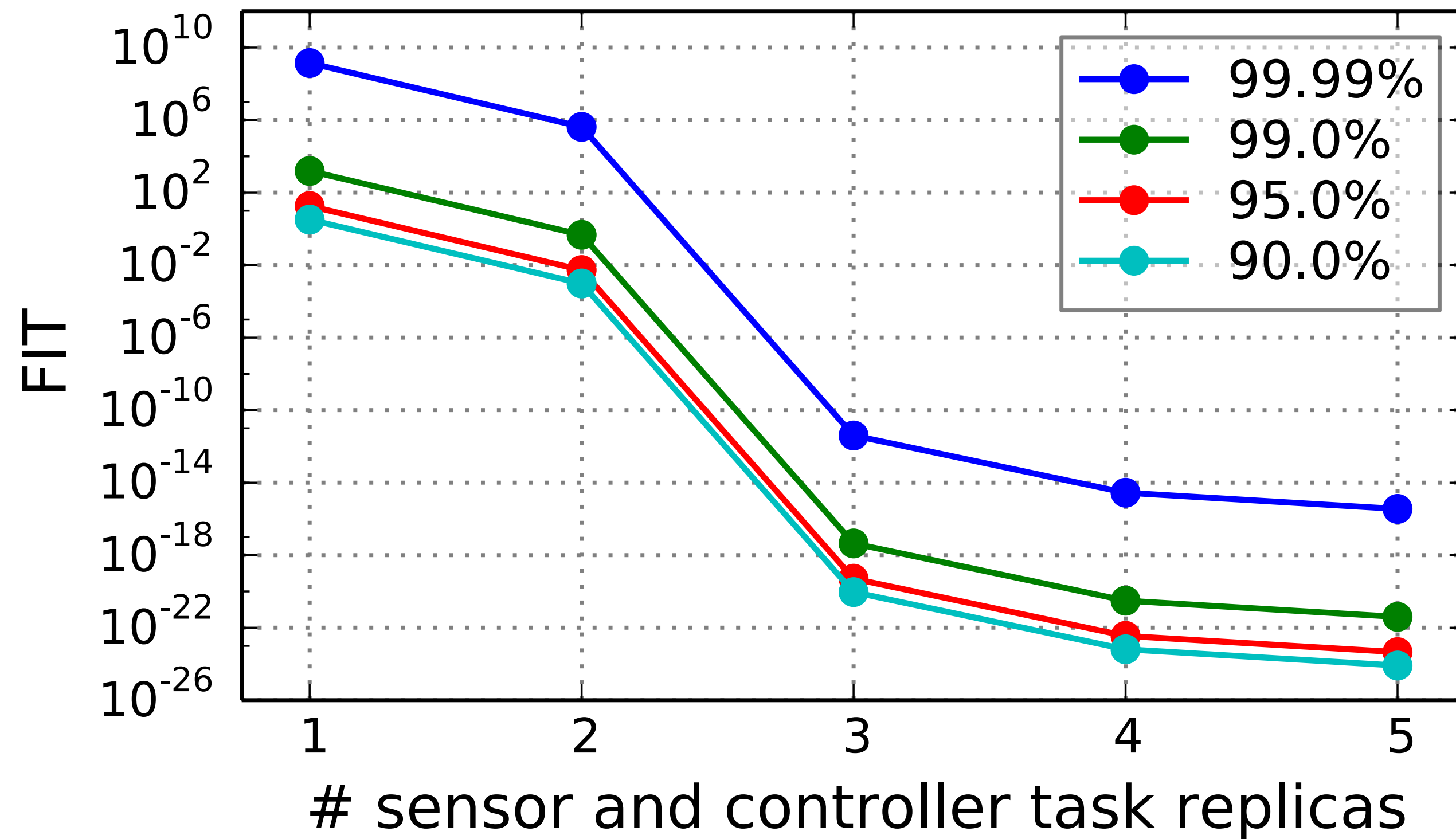
- Replication factor of loop L_1 's tasks varied from 1 to 5

- **What should be the replication factor to achieve FIT under 10^{-6} ?**

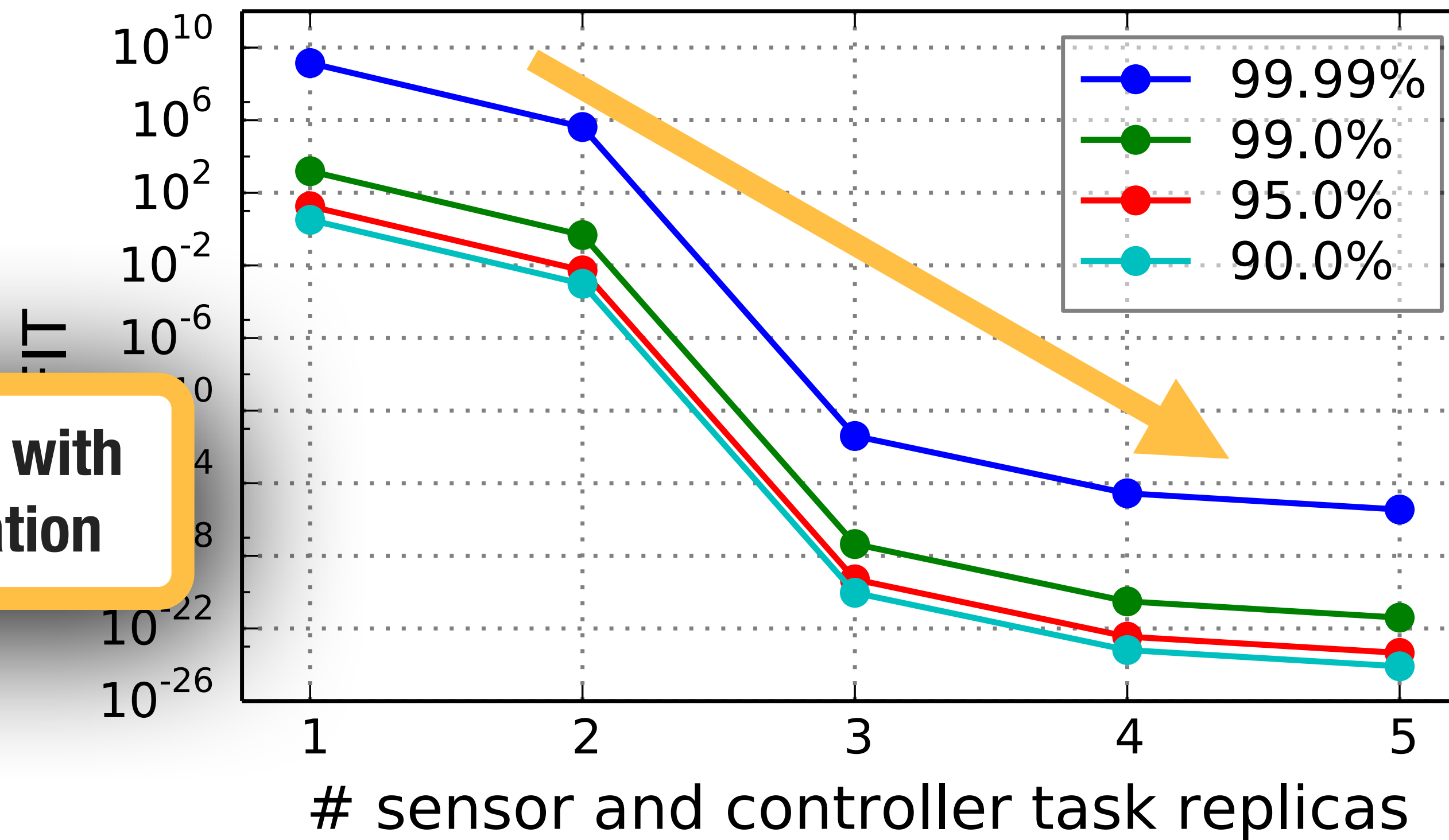
FIT rate vs. replication factor vs. (m, k) parameters



FIT rate vs. replication factor vs. (m, k) parameters

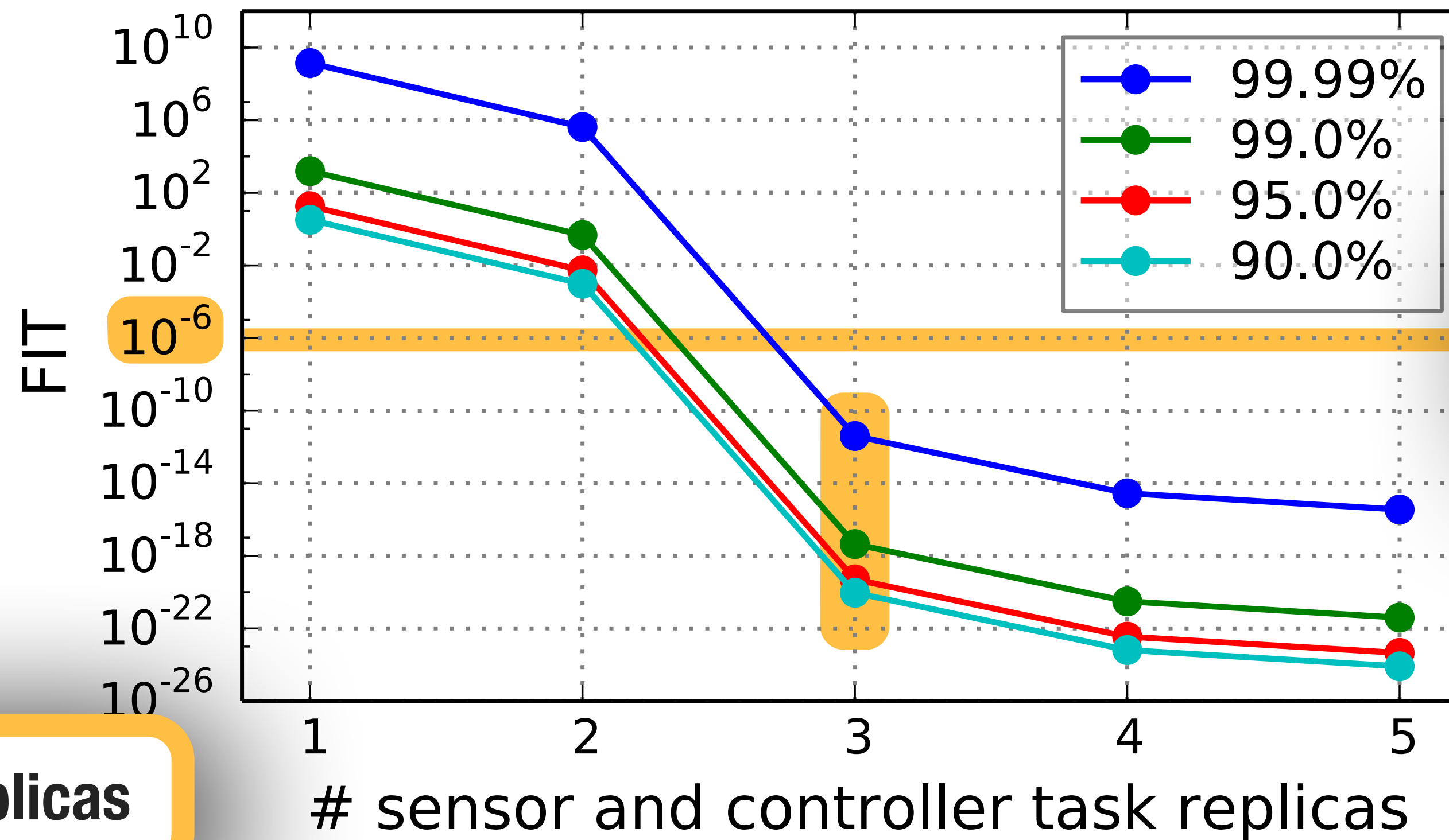


FIT rate vs. replication factor vs. (m, k) parameters



FIT rate decreases with increasing replication

FIT rate vs. replication factor vs. (m, k) parameters



Prefer three replicas

If the desired FIT rate is under 10^{-6}

Summary

- **A safe Failures-In-Time (FIT) analysis for networked control systems**
 - ➔ CAN-based networked control system model

- **Focus on failures and errors due to transient faults**
 - ➔ omission errors
 - ➔ incorrect computation errors
 - ➔ transmission errors

Future work: Byzantine errors + BFT protocols

- **... and on robust systems that can tolerate a few iteration failures**
 - ➔ (m,k)-firm model for control failure

Accounting for other robustness criteria