

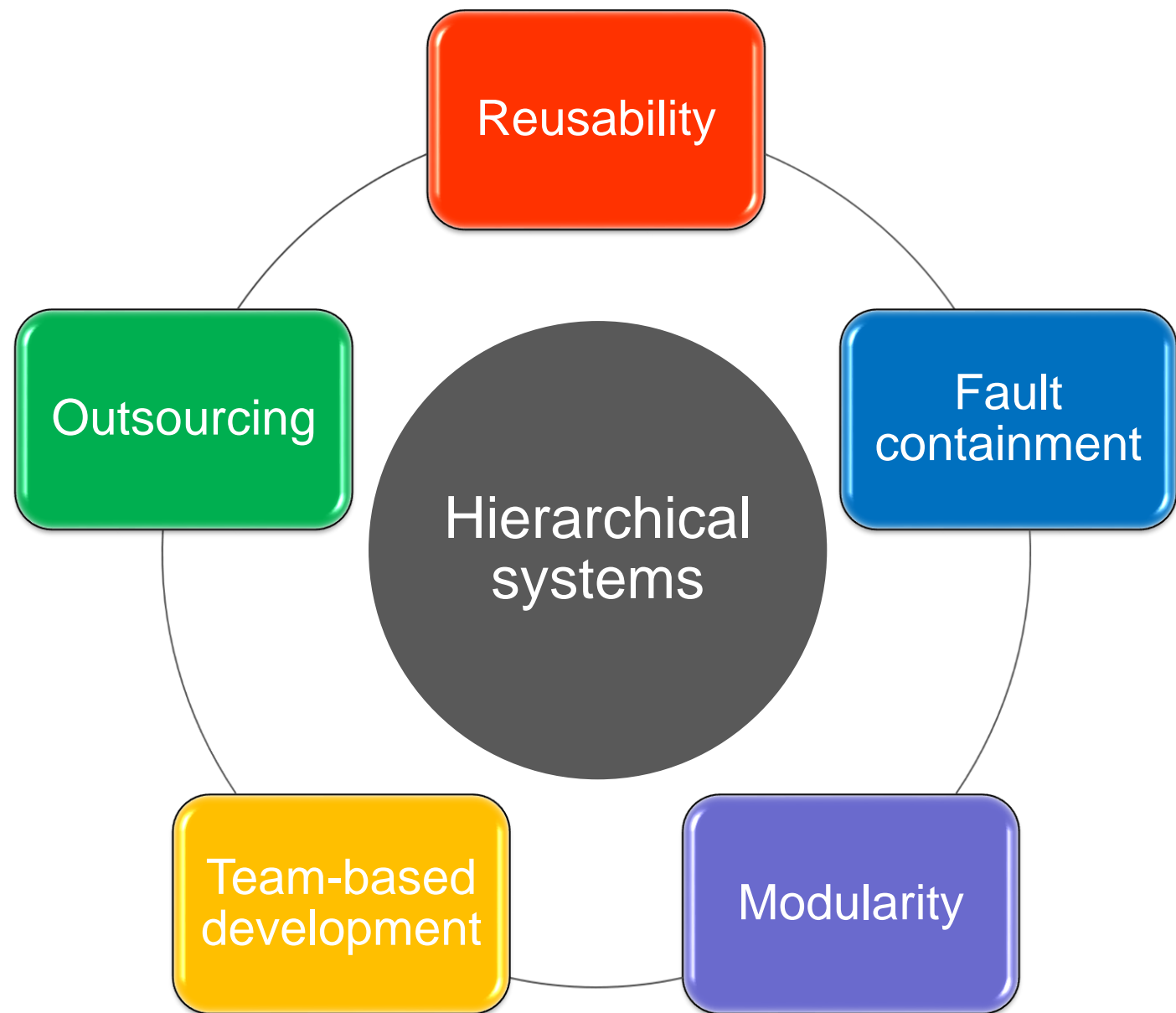


Optimal Design for Reservation Servers under Shared Resources

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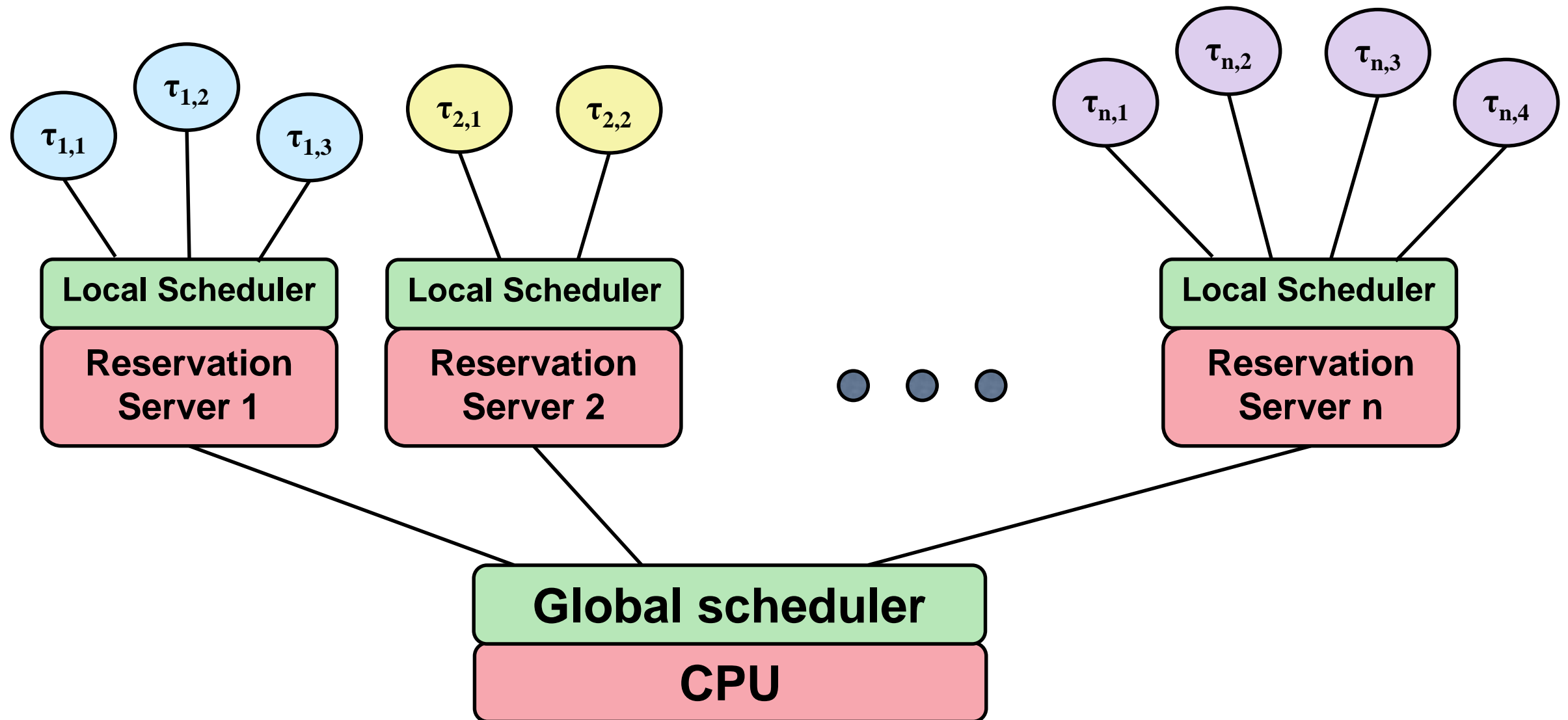
Towards integrated architectures

- The increased SW complexity and HW performance motivate some basic practices for SW development



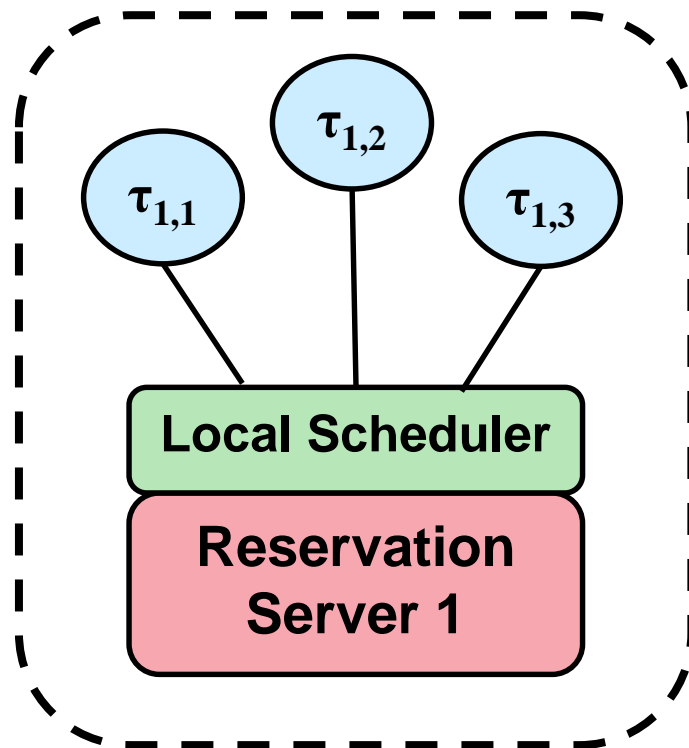
Hierarchical Systems

- Many SW applications can be integrated forming a **Hierarchical System**



Hierarchical Systems

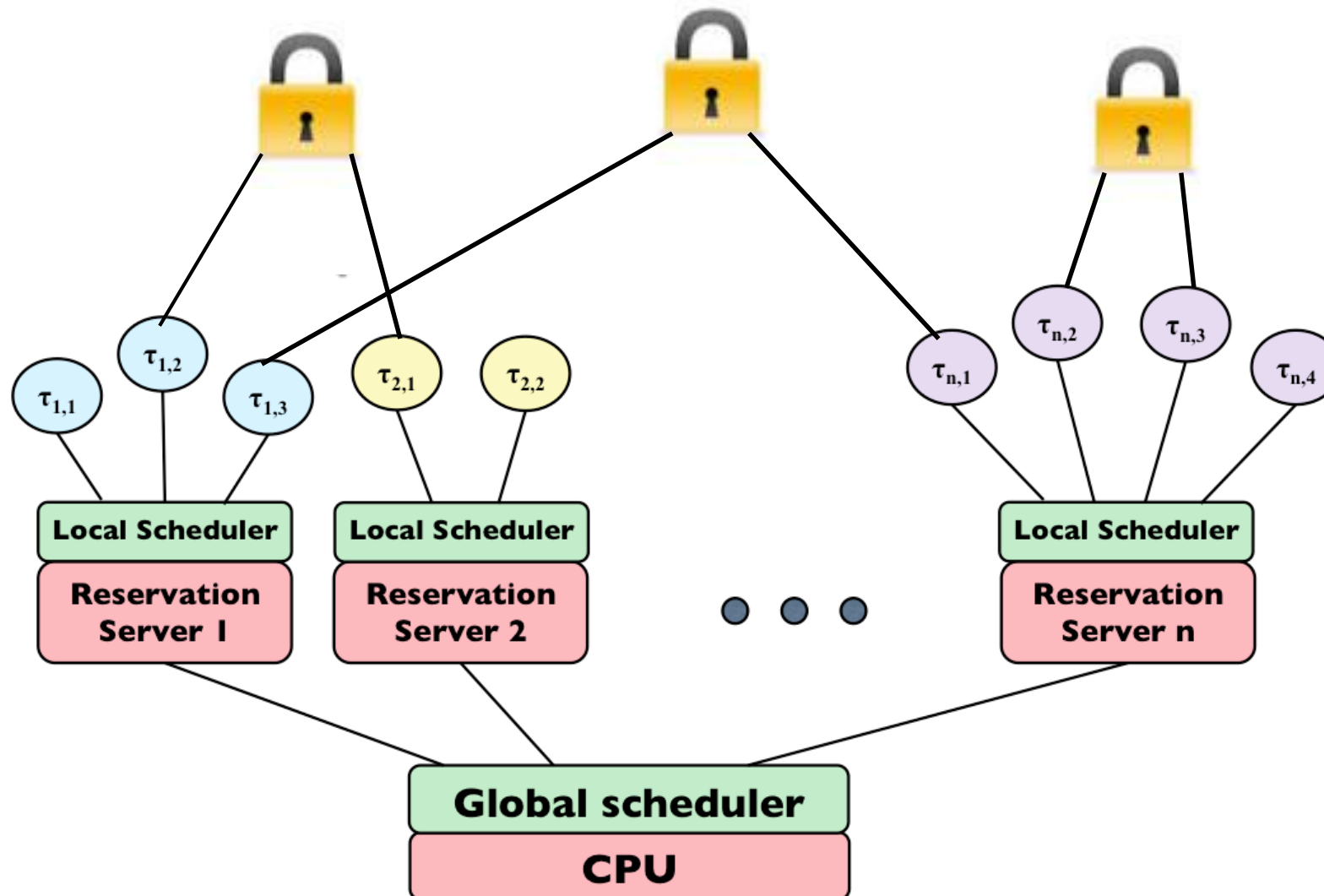
- Each application is scheduled within a **reservation** implemented as a **periodic server**



- $Q \rightarrow$ server **budget**
- $P \rightarrow$ server **period**
- $\alpha = \frac{Q}{P} \rightarrow$ server **bandwidth**
- $\Delta = 2 * (P - Q) \rightarrow$ server **delay**

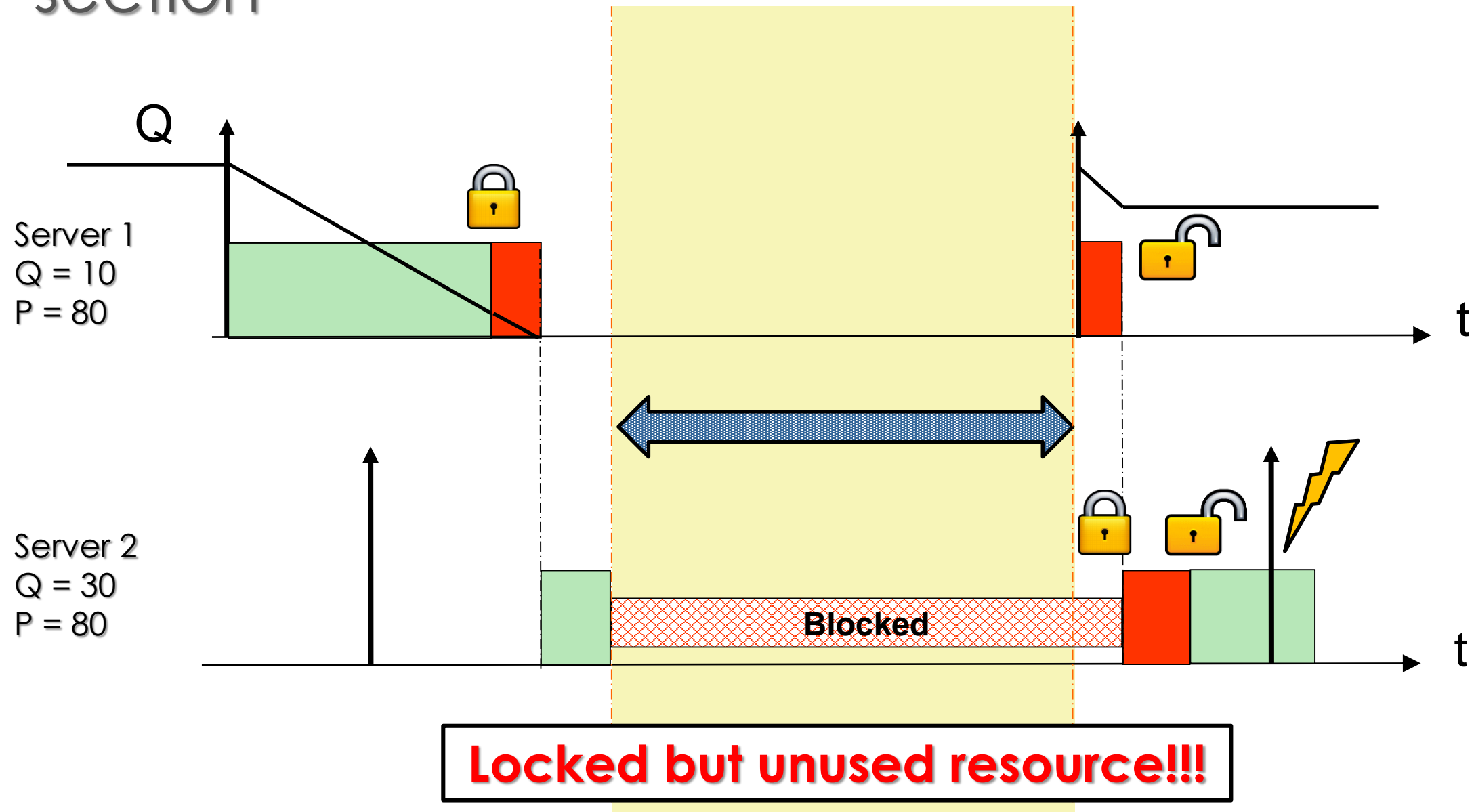
Resource Sharing

- Subsystems are usually not independent: tasks may share **resources** (globally and/or locally)



Resource Sharing

- Problem: budget exhaustion inside a critical section



Existing approaches

❑ **Reactive** (handle budget exhaustion)

- ❑ Overrun (Ghazalie and Baker, 1995; Davis and Burns, 2006)

❑ **Proactive** (prevent budget exhaustion)

- ❑ SIRAP (Behnam et al., 2007)
- ❑ BROE (Bertogna, Fisher and Baruah, 2009)

Require the knowledge on the maximum Resource Holding Time

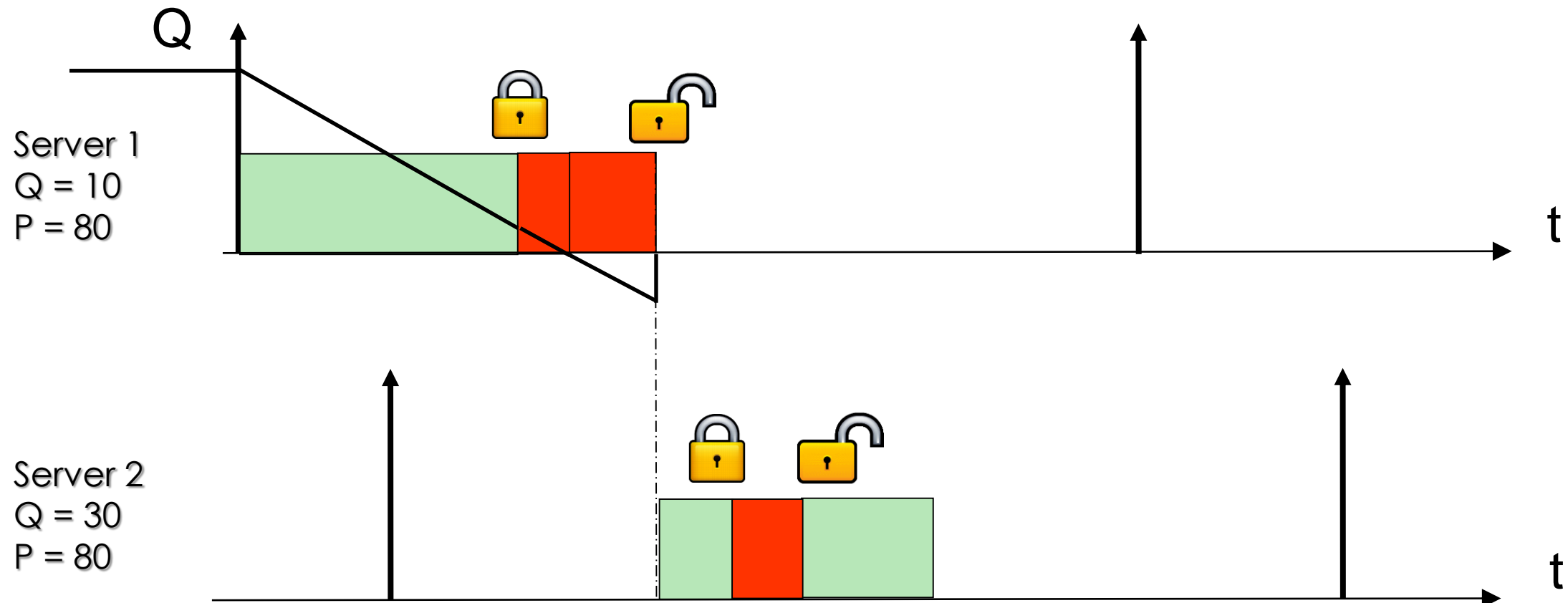


Maximum amount of budget consumed
from the lock to the release
of a globally shared resource



Overrun

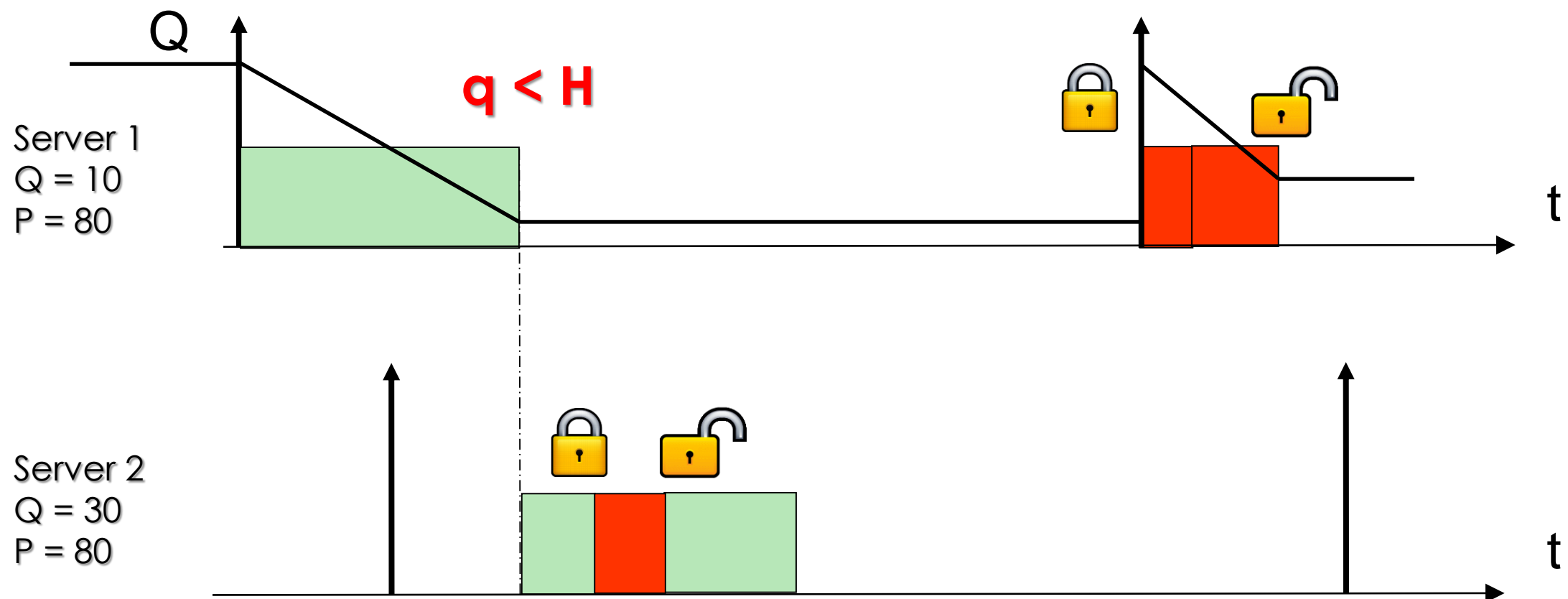
- ❑ Consume extra budget until critical section is completed
- ❑ With or without payback



Cons: greater bandwidth requirement for the reservation!

SIRAP

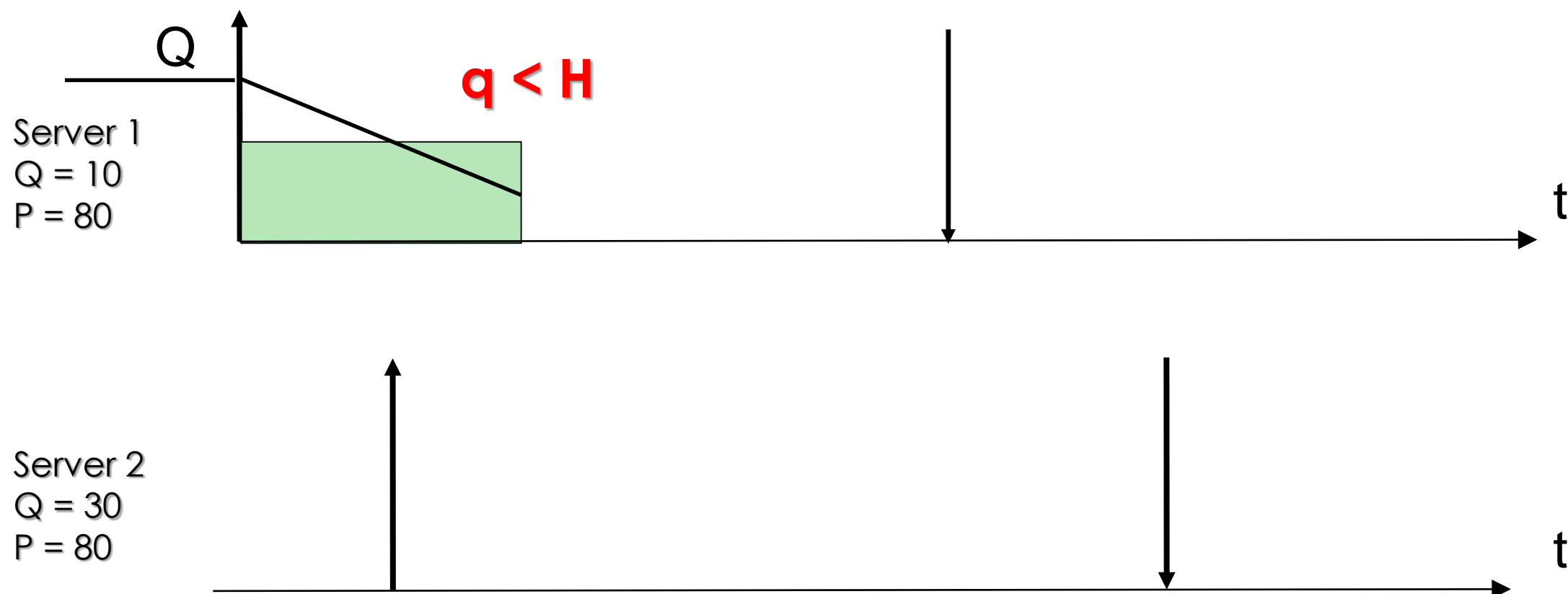
- **Budget check** before each locking operation
 - If the budget is not sufficient to complete the critical section, the access is postponed until next replenishment



Cons: - penalizes response time of the served task!
- remaining budget could be wasted!

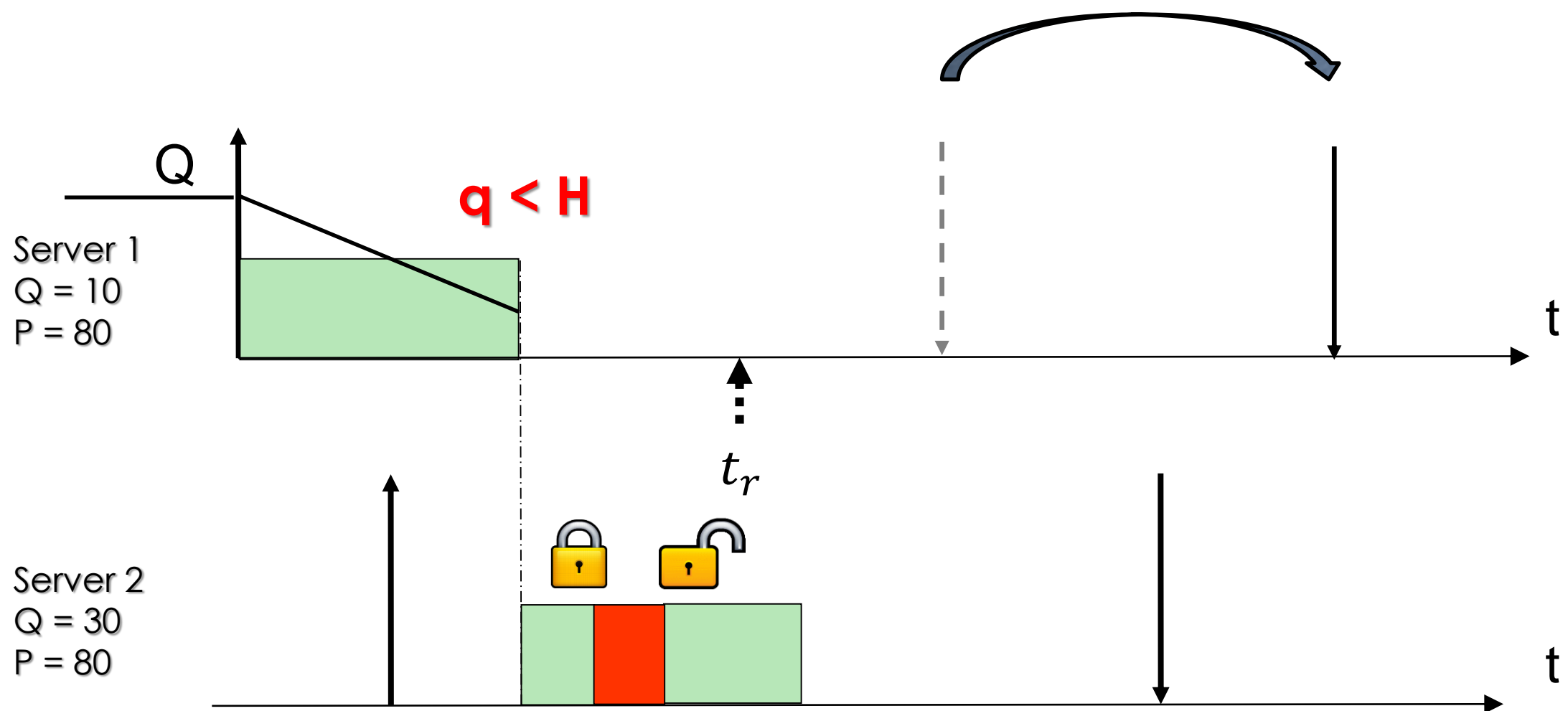
BROE (1)

- **Budget check** before each locking operation
 - If the budget is not sufficient to complete the critical section, a replenishment time is set at the earliest time that preserves bandwidth & delay; the server is reactivated “as soon as possible”
 - Based on EDF scheduling



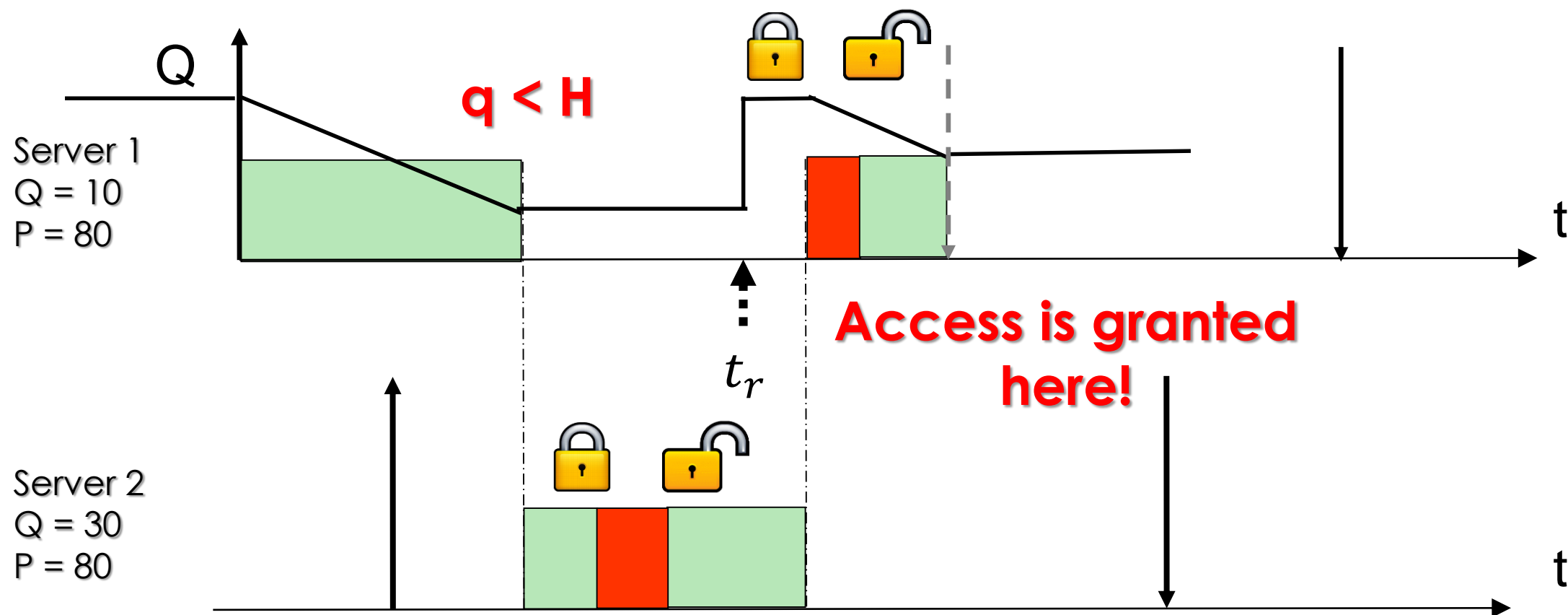
BROE (2)

- **Budget check** before each locking operation
 - If the budget is not sufficient to complete the critical section, a replenishment time is set at the earliest time that preserves bandwidth & delay; the server is reactivated “as soon as possible”
 - Based on EDF scheduling



BROE (3)

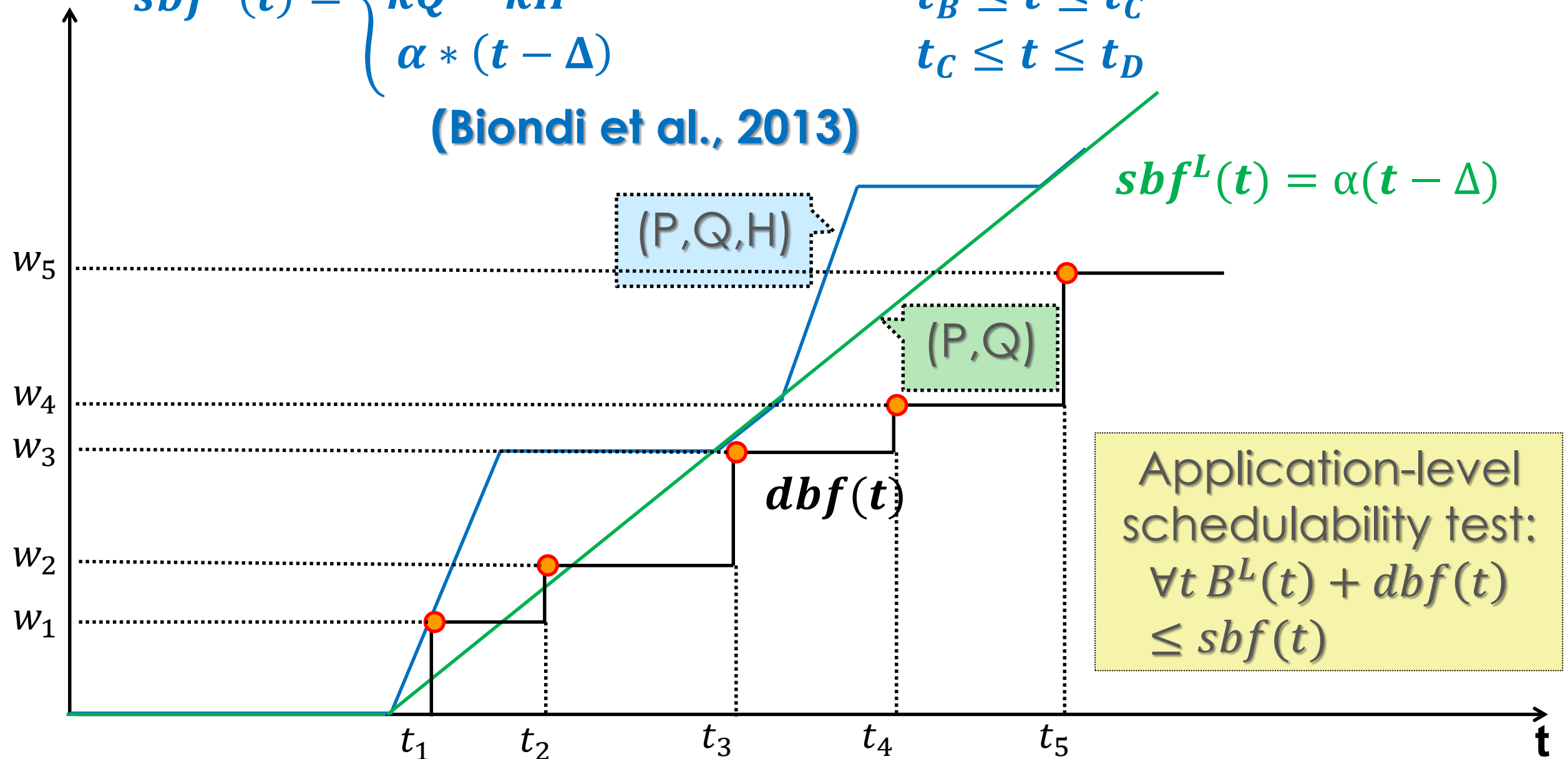
- **Budget check** before each locking operation
 - If the budget is not sufficient to complete the critical section, a replenishment time is set at the earliest time that preserves bandwidth & delay; the server is reactivated “as soon as possible”
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BROE schedulability analysis

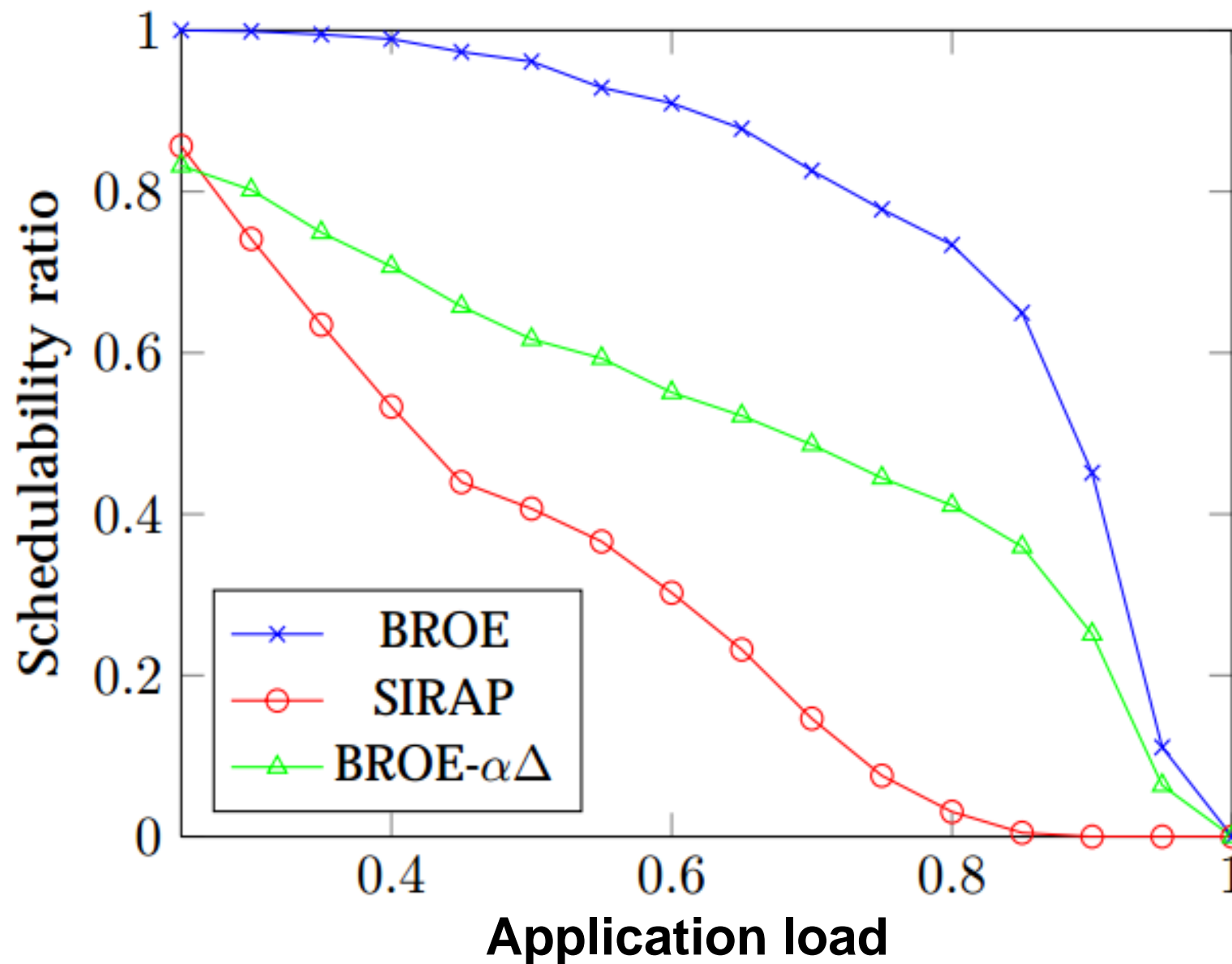
$$sbf^B(t) = \begin{cases} t - \Delta - (k - 1)(P - Q) & t_A \leq t \leq t_B \\ kQ - kH & t_B \leq t \leq t_C \\ \alpha * (t - \Delta) & t_C \leq t \leq t_D \end{cases}$$

(Biondi et al., 2013)



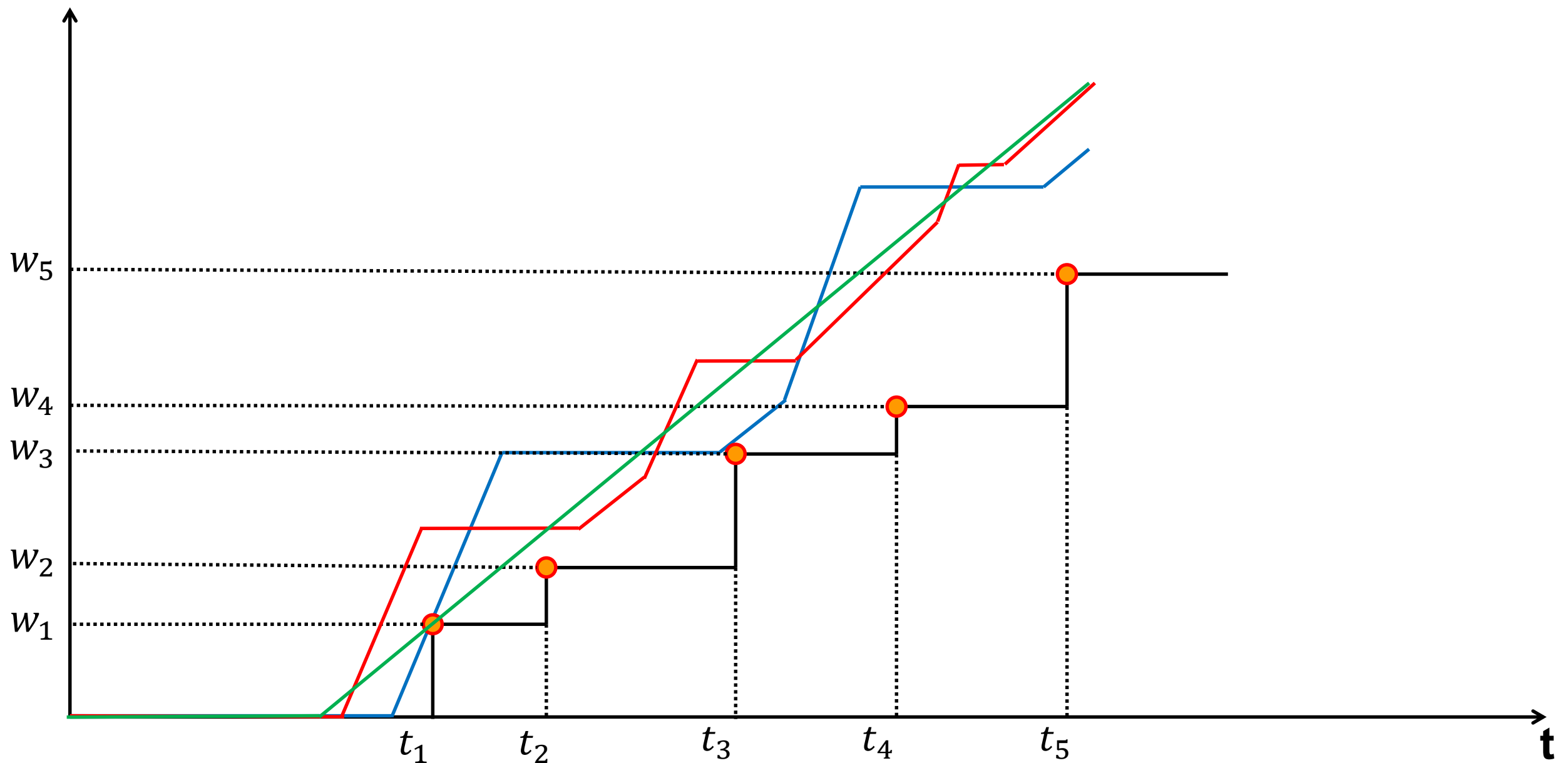
Experimental results

□ **EDF** local scheduler, medium critical sections



The problem

Which is the “best” supply bound function that can guarantee a given application?



Our contribution

- We propose a methodology to find the optimal parameters (Q_{opt}, P_{opt}) of a BROE server that minimize its bandwidth requirement α'

$$\alpha' = \frac{Q + \sigma}{P} = \alpha + \frac{\sigma}{P}$$

Context-switch overhead

- Accounting for the context-switch overhead allows discarding trivial solutions



Our model

- ❑ *Task model*: each application Γ_k is composed by n_k preemptive tasks $\tau_i = (C_i, D_i, T_i)$, with $D_i \leq T_i$
- ❑ *Global scheduler*: BROE (based on Hard-CBS)
- ❑ *Local scheduler*: EDF
- ❑ *Resource sharing*: SRP-G and SRP-L
- ❑ *Application interface*: (Q_k, P_k, \mathbf{H}_k)
 - ❑ \mathbf{H}_k : maximum Resource Holding Time of application Γ_k

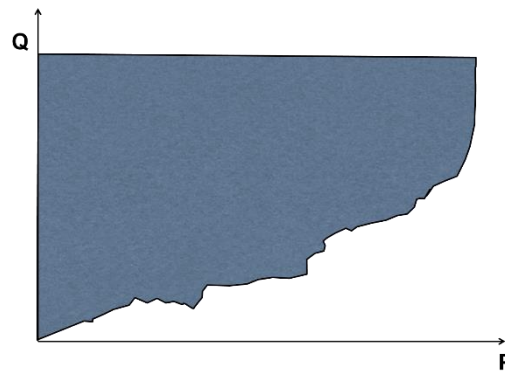


Optimization strategy

- We want to find the **sb**f that gives the minimum bandwidth occupation, satisfying schedulability
- For each point of the dbf:

1.

Express schedulability constraint as a function of P and Q



Feasibility region for a single point

2.

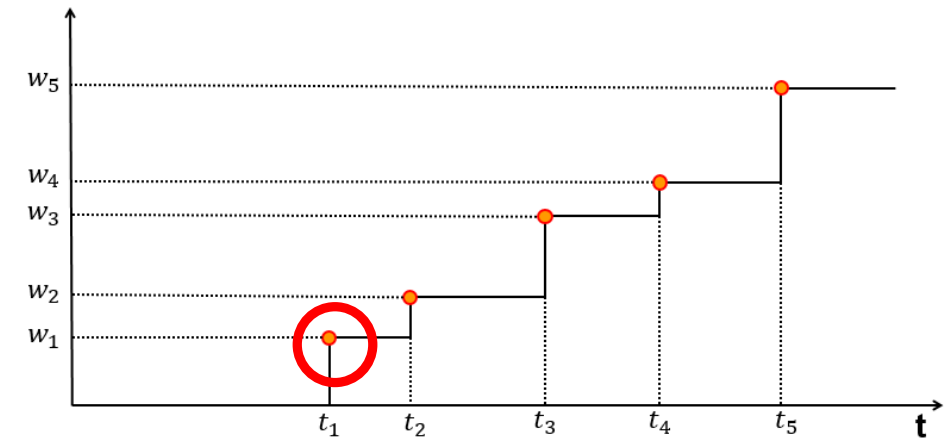
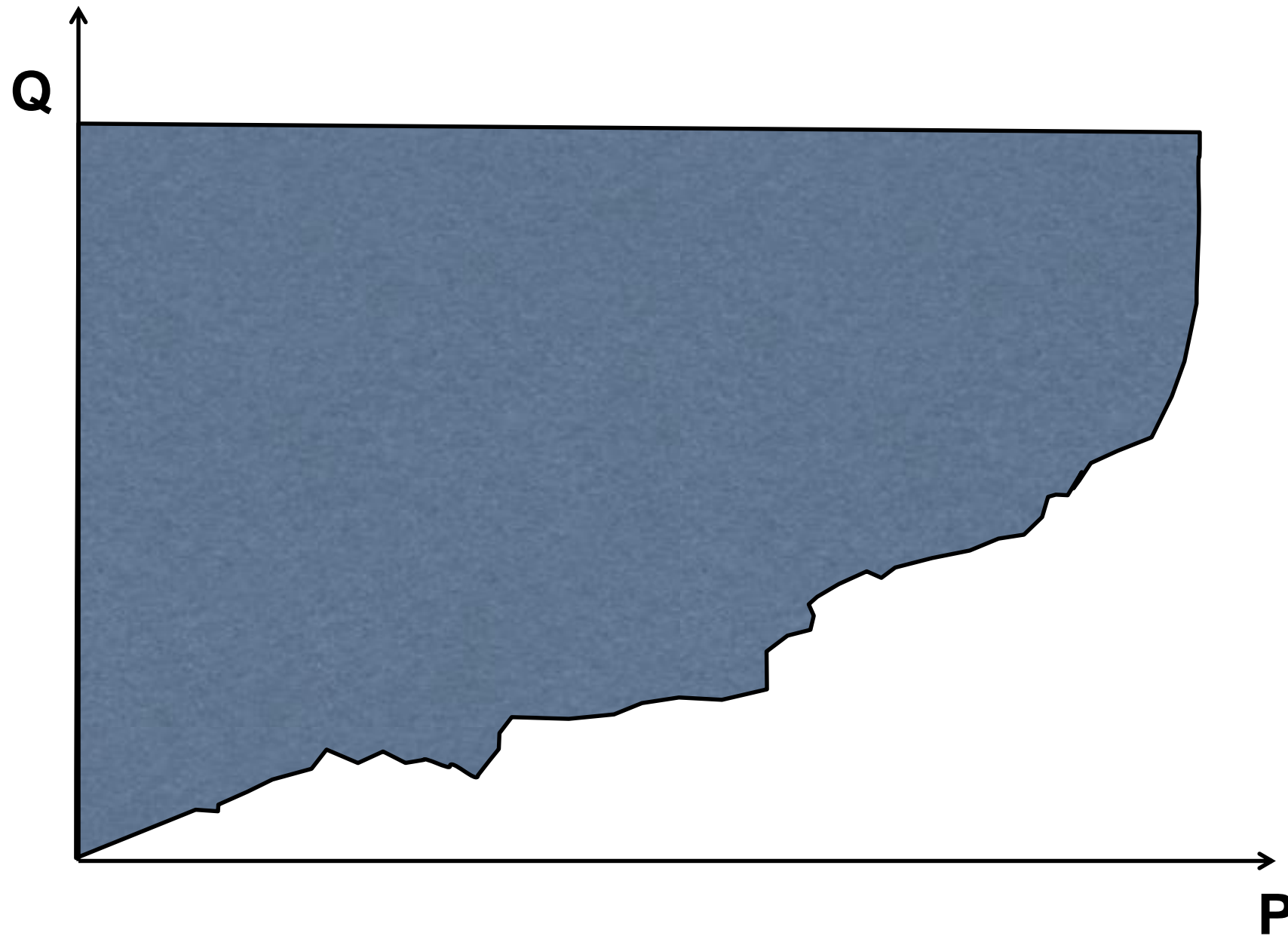
Intersect with current feasibility region

$$\mathbb{D} = \bigcap_{d_i \in dSet} \mathbb{D}(w_i, t_i)$$

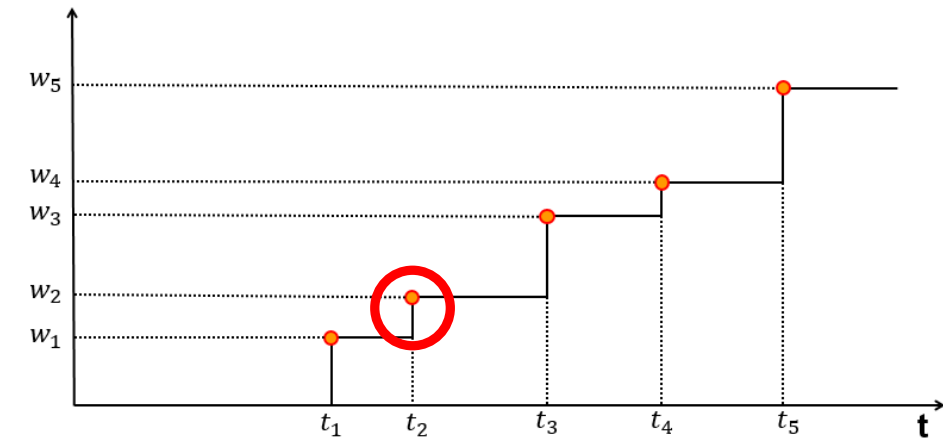
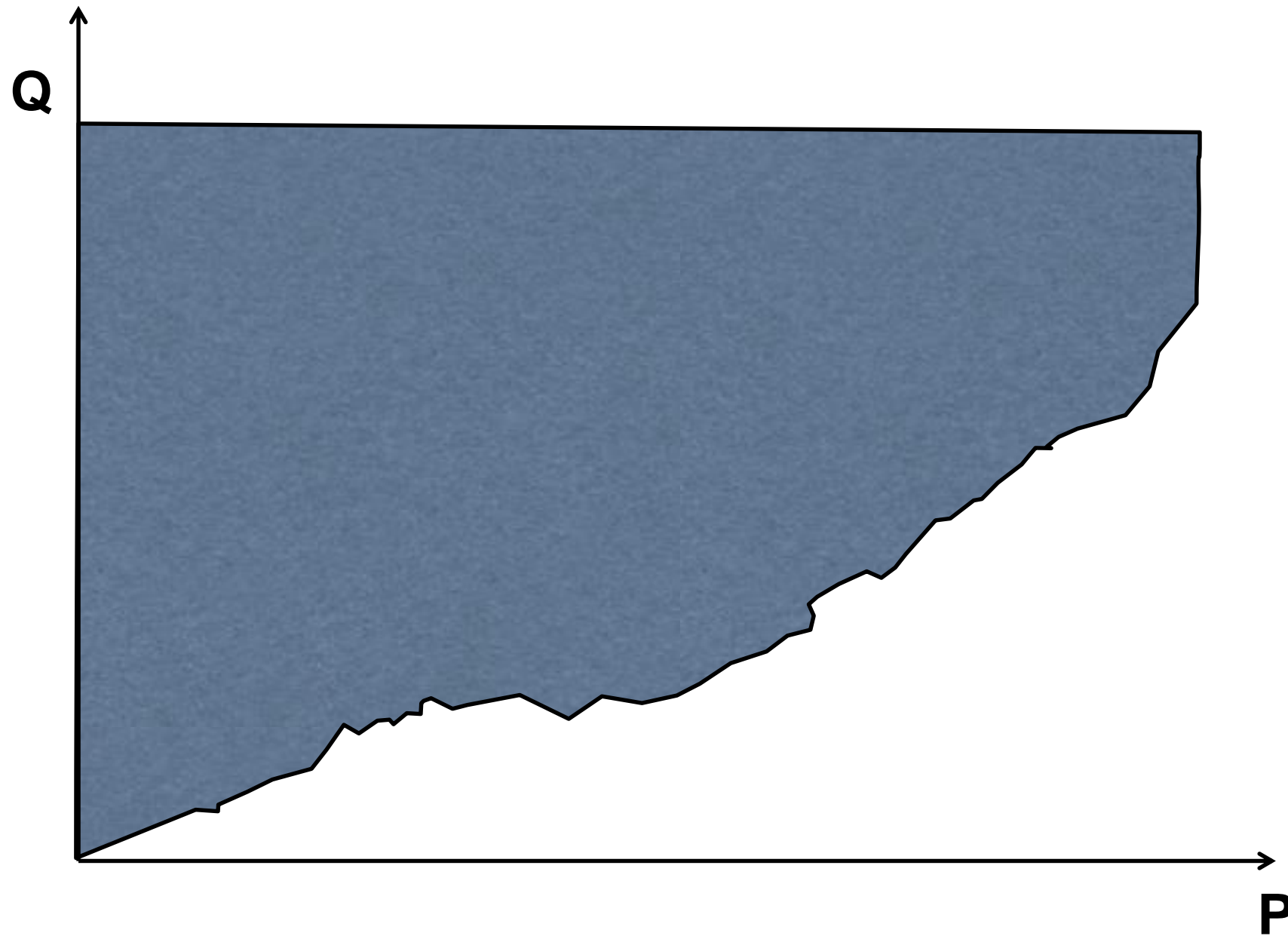
Final feasibility region



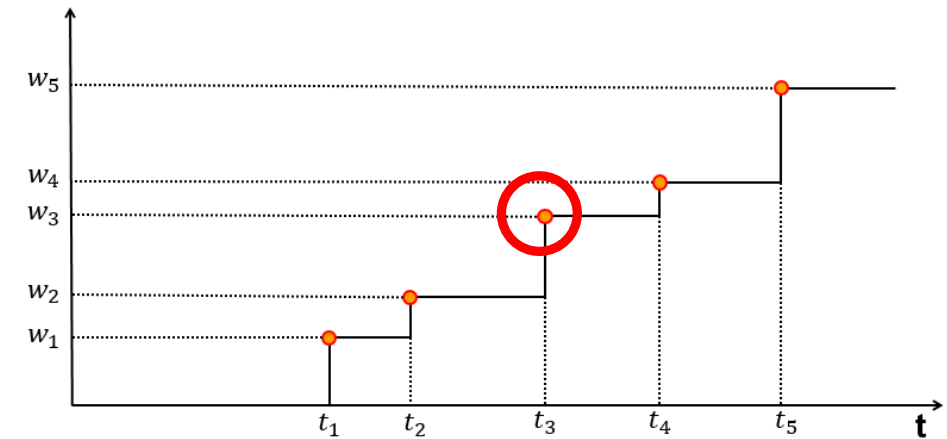
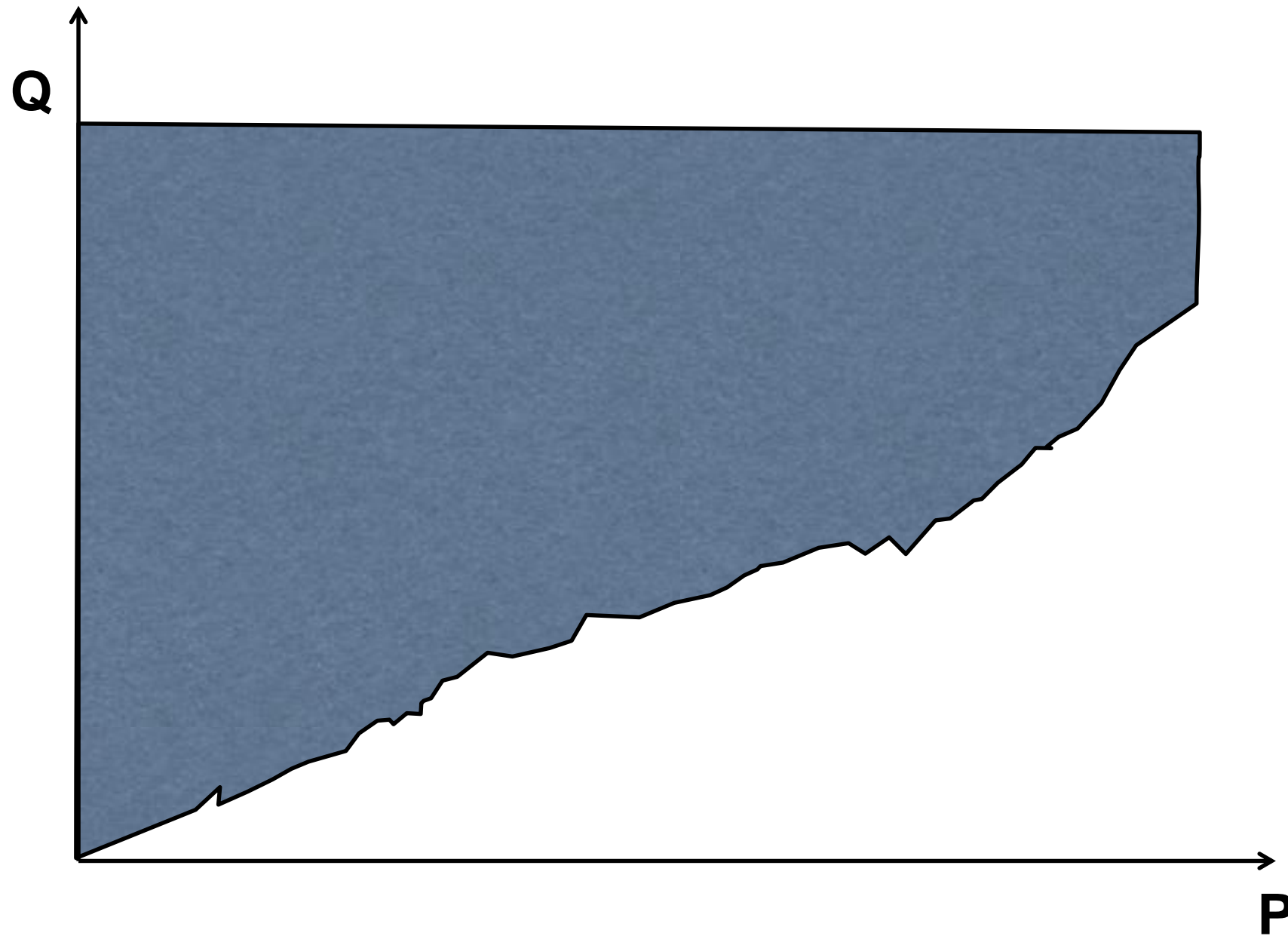
Visual example(1)



Visual example(2)

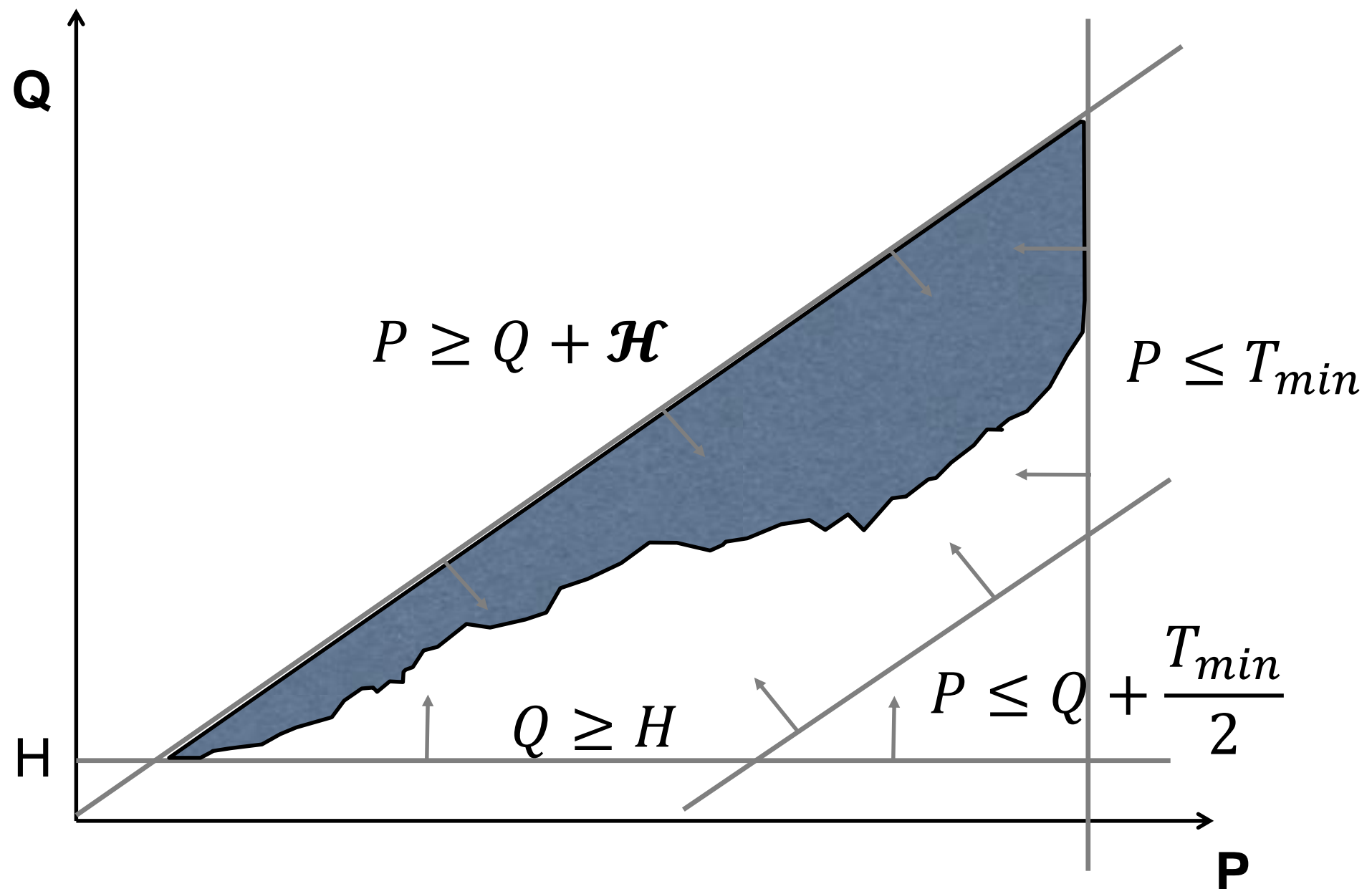


Visual example(3)

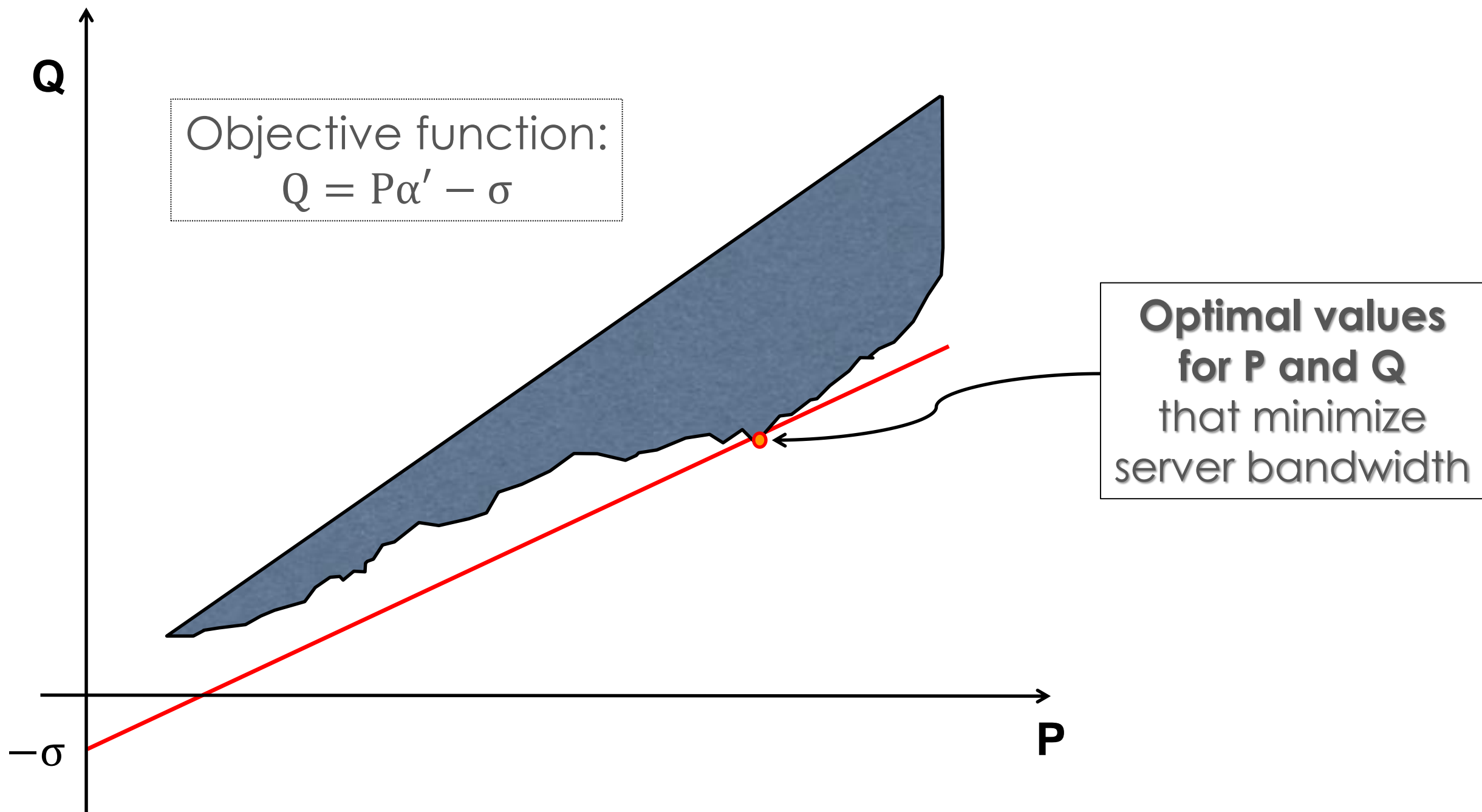


How to refine the search

- Some generic constraints can refine the feasibility region

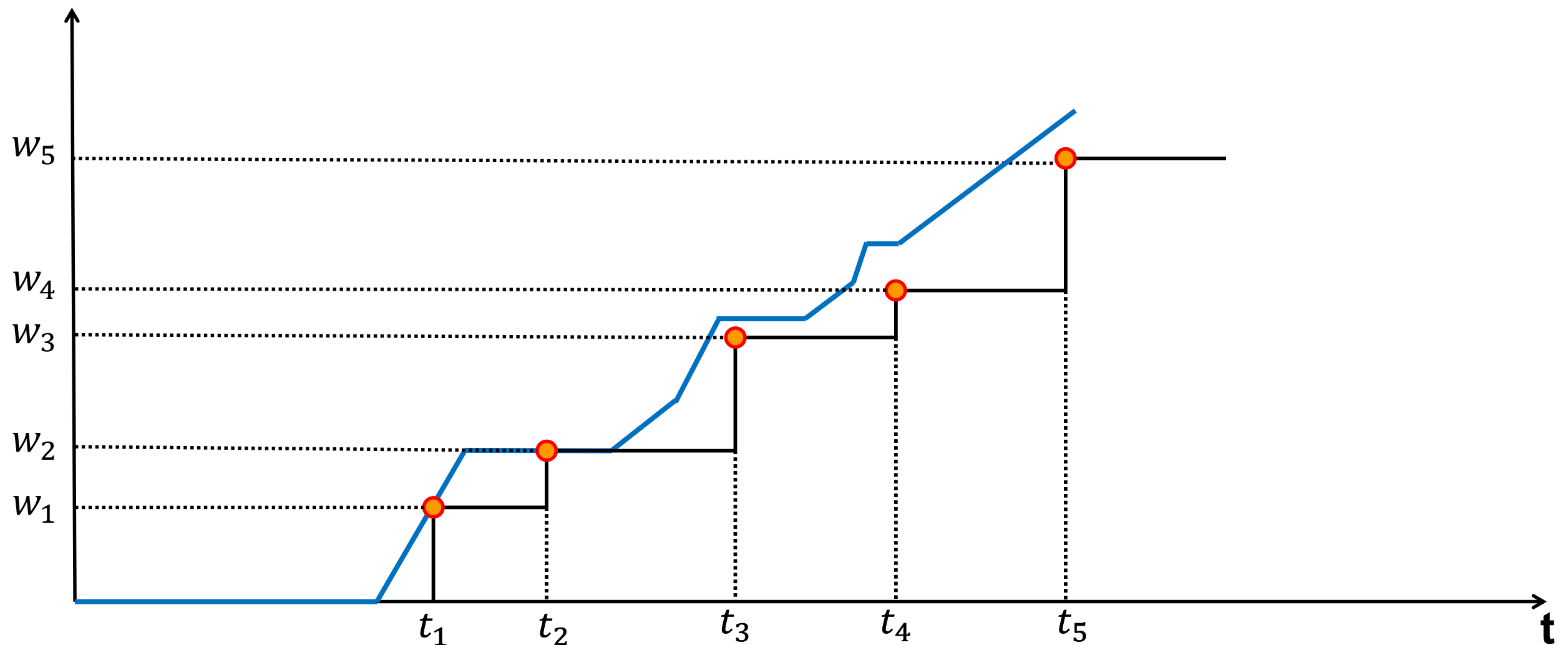


How to find the optimum



Final result

- The optimal parameters (Q_{opt}, P_{opt}) determine the optimal supply bound function for the application



Implementation

- The design algorithm has been implemented as MATLAB code and is publicly available at:

<http://retis.sssup.it/~a.biondi/optBROE>



Conclusions

- ❑ We have proposed a methodology to design a BROE server with parameters (Q_{opt}, P_{opt}) that minimize its bandwidth, ensuring:
 - ❑ **Pseudo-polynomial complexity**
 - ❑ A **standard interface** for each application
- ❑ Using this approach, BROE dominates all other existing solutions
- ❑ As future work, we plan to extend it to local fixed priority scheduling and to multi-core platforms



Thank you!

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